

$$K \stackrel{\mathbb{R}}{\dashv} K \dashv K \triangleleft_{\infty} \mathbb{C} \ni \gamma$$

)

$$\gamma \in \mathbb{C} \triangleleft_{\#} K$$

$$\gamma_{\lambda} = \overline{{}_x K^{\lambda}} \int_{dx} {}^x \gamma = \overline{{}_x K^{\lambda}} \star \gamma$$

$$K \text{ inv} \Rightarrow {}^x \gamma = \int_{\#} {}_x K^{\lambda} \int_{\lambda} \gamma = \int_{\#} {}_x K^{\lambda} \int_{\#} \overline{{}_y K^{\lambda}} \int_{dy} {}^y \gamma = \int_{\#} {}_x K^{\lambda} \int_{\#} \overline{{}_x K^{\lambda}} \star \gamma$$