$$\mathbb{K} \supset \hbar \xrightarrow[\text{diff at o}]{\text{ɿ}} \mathbb{K} \Leftrightarrow {}^{x}_{o}\text{ɿ} = \begin{cases} \dfrac{{}^{x}\text{ɿ} - {}^{o}\text{ɿ}}{x - o} & x \neq o \\ {}^{o}\underline{\text{ɿ}} & x = o \end{cases} \text{ stet in } o$$

$$\mathbb{K} \supset \hbar \xrightarrow[\text{diff at o}]{\text{ɿ}} \mathbb{K} \overset{\text{Folg}}{\underset{\text{Krit}}{\Leftrightarrow}} \bigwedge_{o \neq {}_{n}\text{ƛ} \rightsquigarrow o} \frac{{}^{n\text{ƛ}}\text{ɿ} - {}^{o}\text{ɿ}}{{}_{n}\text{ƛ} - o} \rightsquigarrow {}^{o}\underline{\text{ɿ}} \in \mathbb{K}$$

$$\begin{cases} {}^{x}\text{ɿ} - {}^{o}\text{ɿ} = (x - o)\, {}^{x}_{o}\text{ɿ} \\ {}_{o}\text{ɿ} \text{ stet on } o \end{cases} \Longrightarrow {}^{o}_{o}\text{ɿ} = {}^{o}\underline{\text{ɿ}}$$

$$\mathbb{K} \supset \hbar \xrightarrow[\text{diff at } o]{\text{ɿ}} \mathbb{K} \Longrightarrow \text{ɿ stet at } o$$

$${}^{n\text{ƛ}}\text{ɿ} - {}^{o}\text{ɿ} = \underbrace{{}_{n}\text{ƛ} - o} \frac{{}^{n\text{ƛ}}\text{ɿ} - {}^{o}\text{ɿ}}{{}_{n}\text{ƛ} - o} \rightsquigarrow 0\, {}^{o}\underline{\text{ɿ}} = 0$$

$$\mathbb{K} \supset \hbar \xrightarrow[\text{diff at } o]{\text{ɿ}} \mathbb{K} \Longrightarrow \begin{cases} \text{ɿ}a + \acute{\text{ɿ}}\acute{a} \text{ diff at } o \\ {}^{o}\underline{\text{ɿ}a + \acute{\text{ɿ}}\acute{a}} = {}^{o}\underline{\text{ɿ}}a + {}^{o}\underline{\acute{\text{ɿ}}}\acute{a} \end{cases}$$

$$\frac{{}^{n\text{ƛ}}\text{ɿ}a + {}^{n\text{ƛ}}\acute{\text{ɿ}}\acute{a} - {}^{o}\text{ɿ}a - {}^{o}\acute{\text{ɿ}}\acute{a}}{{}_{n}\text{ƛ} - o} = \frac{{}^{n\text{ƛ}}\text{ɿ} - {}^{o}\text{ɿ}}{{}_{n}\text{ƛ} - o}a + \frac{{}^{n\text{ƛ}}\acute{\text{ɿ}} - {}^{o}\acute{\text{ɿ}}}{{}_{n}\text{ƛ} - o}\acute{a} \rightsquigarrow {}^{o}\underline{\text{ɿ}}a + {}^{o}\underline{\acute{\text{ɿ}}}\,\acute{a}$$

$$\mathbb{K} \supset \hbar \xrightarrow[\text{diff at } o]{\dot{\text{ɿ}}} \mathbb{K} \Longrightarrow \begin{cases} \text{ɿ} \times \acute{\text{ɿ}} \text{ diff at } o \\ {}^{o}\underline{\text{ɿ} \times \acute{\text{ɿ}}} = {}^{o}\underline{\text{ɿ}} \times {}^{o}\acute{\text{ɿ}} + {}^{o}\underline{\text{ɿ}} \times {}^{o}\acute{\text{ɿ}} \end{cases}$$

$$\frac{{}^{n\text{ƛ}}\text{ɿ} \times {}^{n\text{ƛ}}\acute{\text{ɿ}} - {}^{o}\text{ɿ} \times {}^{o}\acute{\text{ɿ}}}{{}_{n}\text{ƛ} - o} = \frac{{}^{n\text{ƛ}}\text{ɿ} - {}^{o}\text{ɿ}}{{}_{n}\text{ƛ} - o} \times {}^{n\text{ƛ}}\acute{\text{ɿ}} + {}^{o}\text{ɿ} \times \frac{{}^{n\text{ƛ}}\acute{\text{ɿ}} - {}^{o}\acute{\text{ɿ}}}{{}_{n}\text{ƛ} - o} \rightsquigarrow {}^{o}\underline{\text{ɿ}} \times {}^{o}\acute{\text{ɿ}} + {}^{o}\underline{\text{ɿ}} \times {}^{o}\acute{\text{ɿ}}$$

$$ {}^{\mathsf{h}}\mathsf{1} := {}^{\mathsf{h}a}\text{ɿ} $$

$$ a \in \mathbb{K} \Longrightarrow {}^{\mathsf{h}}\underline{\mathsf{1}} = a\,{}^{\mathsf{h}a}\underline{\text{ɿ}} $$

$$ \frac{{}^{\mathsf{h}+z}\mathsf{1} - {}^{\mathsf{h}}\mathsf{1}}{z} = \frac{{}^{\underbrace{\mathsf{h}+z}a}\text{ɿ} - {}^{\mathsf{h}a}\text{ɿ}}{z} = a\frac{{}^{\mathsf{h}a+za}\text{ɿ} - {}^{\mathsf{h}a}\text{ɿ}}{za} \rightsquigarrow a\,{}^{\mathsf{h}a}\underline{\text{ɿ}} $$

$$ {}^{\mathsf{h}}\mathsf{1} := {}^{\mathsf{h}+a}\text{ɿ} \Longrightarrow {}^{\mathsf{h}}\underline{\mathsf{1}} = {}^{\mathsf{h}+a}\underline{\text{ɿ}} $$

$$ \frac{{}^{\mathsf{h}+z}\mathsf{1} - {}^{\mathsf{h}}\mathsf{1}}{z} = \frac{{}^{\underbrace{\mathsf{h}+z}+a}\text{ɿ} - {}^{\mathsf{h}+a}\text{ɿ}}{z} = \frac{{}^{\underbrace{\mathsf{h}+a}+z}\text{ɿ} - {}^{\mathsf{h}+a}\text{ɿ}}{z} \rightsquigarrow {}^{\mathsf{h}+a}\underline{\text{ɿ}} $$