$$\hbar\times\square \xrightarrow[\text{stet}]{F} \daleth: \quad {}^{x}\gimel = \int_{dt}^{\square} {}^{x}F_{t} = \int_{dx}^{\square} {}^{x}F_{-} \Longrightarrow \hbar \xrightarrow[\text{stet}]{\gimel} \daleth$$

$$\square \xrightarrow[\text{stet}]{{}^{x}F_{-}} \daleth \Longrightarrow {}^{x}F_{-}\,\alpha \text{ int } \Longrightarrow {}^{x}\gimel = \int_{\alpha_t}^{\square} {}^{x}F_{t} \text{ well-def}$$

$$\bigwedge_{\varepsilon>0} \bigwedge_{o}^{\hbar} \bigwedge_{s}^{\square} F \text{ stet in } o{:}x \Longrightarrow \bigvee_{s\,\in\, U_s \,\subset\, \square} \bigvee_{\delta_s>0} \bigwedge_{x|o\,\leqslant\,\delta_s} \overline{{}^{x}F_{t} - {}^{o}F_{s}} \leqslant \varepsilon$$

$$\Longrightarrow \bigvee_{\square\,\supset\, E \text{ fin}} \square = \bigcup_{s}^{E} U_s \Longrightarrow \delta = \curlywedge_{s}^{E} \delta_s > 0 \Longrightarrow \bigwedge_{x|o\,\leqslant\,\delta} \bigwedge_{t}^{\square} \bigvee_{s\,\in\, E} t \in U_s \Longrightarrow x|o \leqslant \delta_s \Longrightarrow$$

$$\overline{{}^{x}F_{t} - {}^{o}F_{t}} \leqslant \overline{{}^{x}F_{t} - {}^{o}F_{s}} + \overline{{}^{o}F_{s} - {}^{o}F_{t}} \leqslant 2\varepsilon \Longrightarrow$$

$$\overline{{}^{x}\gimel - {}^{o}\gimel} = \overline{\int_{\alpha_t}^{\square} \underbrace{{}^{x}F_{t} - {}^{o}F_{t}}} \leqslant \int_{\alpha_t}^{\square} \overline{{}^{x}F_{t} - {}^{o}F_{t}} \leqslant 2\varepsilon\, |\square|_{\alpha} = 2\varepsilon \prod_{i}^{m} \left(\alpha\left(b_i\right) - \alpha\left(a_i\right)\right) \rightsquigarrow 0$$

$$\Longrightarrow \gimel \text{ stet in o}$$