$$\hbar \times \mathbb{I} \xrightarrow[\text{stet}]{\dot{\wr}^{\sim}} \mathbb{K}: \quad {}^{x}\daleth = \int_{dt}^{\mathbb{I}} {}^{x}\wr^{t} \Longrightarrow \hbar \xrightarrow[\text{stet}]{\daleth} \mathbb{K}$$

$$\mathbb{I} \xrightarrow[\text{stet}]{{}^{x}\wr^{\sim}} \mathbb{K} \Longrightarrow {}^{x}\wr^{\sim} \ \text{ integrable } \Longrightarrow \int_{dt}^{\mathbb{I}} {}^{x}\wr^{t} \in \mathbb{K} \text{ well-def}$$

$$\bigwedge_{o}^{\hbar} \bigvee_{r>0} {}^{o}\overset{\leqslant}{\mathbb{K}}{}^{r} \subset \hbar \Longrightarrow {}^{o}\overset{\leqslant}{\mathbb{K}}{}^{r} \times \mathbb{I} \xrightarrow[\text{glm stet}]{\dot{\wr}^{\sim}} \mathbb{K}$$

$$\overline{x-o} \leqslant {}^{o}_{\wr^{t}}(\varepsilon/|\mathbb{I}|) \curlywedge r \Longrightarrow \overline{{}^{x}\daleth - {}^{o}\daleth} = \overline{\int_{dt}^{\mathbb{I}} {}^{x}\wr^{t} - {}^{o}\wr^{t}} \leqslant \int_{dt}^{\mathbb{I}} \overset{\leqslant \varepsilon/|\mathbb{I}|}{\overline{{}^{x}\wr^{t} - {}^{o}\wr^{t}}} \leqslant |\mathbb{I}|\varepsilon/|\mathbb{I}| = \varepsilon \Longrightarrow \daleth \text{ o-stet}$$