$$\mathbb{C}^{1|1} \underset{\omega}{\triangle} \mathbb{C} = \frac{{}^{z|\zeta}\eta = {}^{z}_{0}\eta + \zeta\,{}^{z}_{1}\eta}{{}_{0}\eta \in \mathbb{C} \underset{\omega}{\triangle} \mathbb{C} \ni {}_{1}\eta}$$

$$\int_{d\zeta}^{\mathbb{C}^{0|1}} \bar{\zeta}\,\zeta = 1$$

$$\flat_{z|\zeta} = \frac{dzd\zeta}{\pi}\,{}^{-\nu\underbrace{z\bar{z}+\zeta\bar{\zeta}}}\mathcal{E} = \frac{dzd\zeta}{\pi}\,{}^{-\nu\zeta\bar{\zeta}}\mathcal{E}\,{}^{-\nu z\bar{z}}\mathcal{E} = \frac{dzd\zeta}{\pi}\underbrace{1-\nu\zeta\bar{\zeta}}\,{}^{-\nu z\bar{z}}\mathcal{E}$$

$$\int_{dz/\pi}^{\mathbb{C}^{1|0}}\int_{d\zeta}^{\mathbb{C}^{0|1}} {}^{-\nu\underbrace{z\bar{z}+\zeta\bar{\zeta}}}\mathcal{E} = \int_{dz/\pi}^{\mathbb{C}^{1|0}}\int_{d\zeta}^{\mathbb{C}^{0|1}} \underbrace{1-\nu\zeta\bar{\zeta}}\,{}^{-\nu z\bar{z}}\mathcal{E} = \int_{dz/\pi}^{\mathbb{C}^{1|0}}\int_{d\zeta}^{\mathbb{C}^{0|1}} {}^{-\nu z\bar{z}}\mathcal{E} - \nu\int_{dz/\pi}^{\mathbb{C}^{1|0}}\int_{d\zeta}^{\mathbb{C}^{0|1}} \zeta\,\bar{\zeta}\,{}^{-\nu z\bar{z}}\mathcal{E}$$

$$= 0 + \nu\int_{dz/\pi}^{\mathbb{C}} {}^{-\nu z\bar{z}}\mathcal{E} = \nu\int_{2rdr}^{0|\infty}\int_{dt/2\pi}^{0|2\pi} {}^{-\nu r^2}\mathcal{E} = \nu\int_{d\varrho}^{0|\infty} {}^{-\nu\varrho}\mathcal{E} = \nu\left[\frac{{}^{-\nu\varrho}\mathcal{E}}{-\nu}\right]_{\varrho=0}^{\varrho=\infty} = -\left[{}^{-\nu\varrho}\mathcal{E}\right]_{\varrho=0}^{\varrho=\infty} = 1$$

$${}^{z|\zeta}\mathcal{P}_{w|\omega} = {}^{\nu\underbrace{z\bar{w}+\zeta\bar{\omega}}}\mathcal{E}$$

$${}^{z|\zeta}\mathcal{P}_{w|\omega} = \sum_{0\leqslant n} \overbrace{z^n}\,\overbrace{\bar{w}^n} + \sum_{0\leqslant n} \overbrace{\zeta z^n}\,\overbrace{\bar{\omega}\bar{w}^n} = \sum_{0\leqslant n}\frac{\nu^n}{n!}\,z^n\,\bar{w}^n + \sum_{0\leqslant n}\frac{\nu^{n+1}}{n!}\,z^n\,\zeta\,\bar{w}^n\,\bar{\omega}$$

$$= {}^{\nu z\bar{w}}\mathcal{E} + \nu\zeta\,\bar{\omega}\,{}^{\nu z\bar{w}}\mathcal{E} = \underbrace{1+\nu\zeta\bar{\omega}}\,{}^{\nu z\bar{w}}\mathcal{E} = {}^{\nu\zeta\bar{\omega}}\mathcal{E}\,{}^{\nu z\bar{w}}\mathcal{E} = {}^{\nu\underbrace{z\bar{w}+\zeta\bar{\omega}}}\mathcal{E}$$

$$\mathcal{P}^{\nu}\,\mathbb{J} = P^{\nu}\,{}^{00}\mathbb{J} - \frac{1}{\nu}P^{\nu}\,{}^{11}\mathbb{J} + \zeta\,P^{\nu}\,{}^{10}\mathbb{J}$$

$$d\,\mu^{\nu}_{z|\zeta} = \frac{dzd\zeta}{\pi}\underbrace{1-\nu\zeta\bar{\zeta}}\,{}^{-\nu z\bar{z}}\mathcal{E}$$

$${}^{z|\zeta}\mathcal{K}^{\nu}_{w|\omega} = \underbrace{1+\nu\zeta\bar{\omega}}\,{}^{\nu z\bar{w}}\mathcal{E}$$

$${}^{z|\zeta}\overbrace{\mathcal{P}^{\nu}\mathbb{J}} = \int_{dw}^{\mathbb{C}^{1|0}}\int_{d\omega}^{\mathbb{C}^{0|1}} {}^{z|\zeta}\mathcal{K}^{\nu}_{w|\omega}\,{}^{w|\omega}\mathbb{J}$$

$${}^{z}\overbrace{P^{\nu}\mathbb{J}} = \int_{\nu dw/\pi}^{\mathbb{C}^{1|0}} {}^{-\nu w\bar{w}}\mathcal{E}\,{}^{\nu z\bar{w}}\mathcal{E}\,{}^{w}\mathbb{J}$$

$$\int_{d\omega}^{\mathbb{C}^{0|1}} \underbrace{1-\nu\zeta\bar{\zeta}}\,\underbrace{1+\nu\zeta\bar{\omega}}\,\overbrace{{}^{00}\mathbb{J}+\omega\,{}^{10}\mathbb{J}+\bar{\omega}\,{}^{01}\mathbb{J}+\omega\bar{\omega}\,{}^{11}\mathbb{J}}$$

$$=\int_{d\omega}^{\mathbb{C}^{0|1}} \underbrace{1+\nu\zeta\bar{\omega}-\nu\zeta\bar{\zeta}}\,\overbrace{{}^{00}\mathbb{J}+\omega\,{}^{10}\mathbb{J}+\bar{\omega}\,{}^{01}\mathbb{J}+\omega\bar{\omega}\,{}^{11}\mathbb{J}} = \nu\,{}^{00}\mathbb{J}+\nu\zeta\,{}^{10}\mathbb{J}-{}^{11}\mathbb{J}$$

$$\Longrightarrow\ {}^{z|\zeta}\overbrace{\mathcal{P}^{\nu}\mathbb{J}} = \int_{dw/\pi}^{\mathbb{C}^{1|0}} {}^{-\nu w\bar{w}}\mathcal{E}\,{}^{\nu z\bar{w}}\mathcal{E}\,\overbrace{\nu\,{}^{00}\mathbb{J}+\nu\zeta\,{}^{10}\mathbb{J}-{}^{11}\mathbb{J}}$$

$$=\int_{\nu dw/\pi}^{\mathbb{C}^{1|0}} {}^{-\nu w\bar{w}}\mathcal{E}\,{}^{\nu z\bar{w}}\mathcal{E}\,\overbrace{{}^{00}\mathbb{J}+\zeta\,{}^{10}\mathbb{J}-\frac{1}{\nu}\,{}^{11}\mathbb{J}} = {}^{z}\overbrace{P^{\nu 00}\mathbb{J}} - \frac{1}{\nu}\,{}^{z}\overbrace{P^{\nu 11}\mathbb{J}} + \zeta\,{}^{z}\overbrace{P^{\nu 10}\mathbb{J}}$$

$$\mathcal{P}^{\nu}\,\overbrace{{}_{0}\daleth+\zeta\,{}_{1}\daleth} = {}_{0}\daleth+\zeta\,{}_{1}\daleth$$

$$\text{LHS} = P^{\nu}\,{}_{0}\daleth+\zeta\,P^{\nu}\,{}_{1}\daleth = \text{RHS}$$

$$\mathbb{\daleth} = \sum_{0\leqslant n} z^{n}\,a_{n}+\zeta\,z^{n}\,b_{n} = a_{0}+\sum_{1\leqslant n} z^{n}\,a_{n}+\zeta\,z^{n}\,b_{n} = a_{0}+\sum_{1\leqslant n} z^{n}\,a_{n}+\zeta\,z^{n}\,b_{n}$$

$$\mathbb{C}^{1|1}\underset{\omega}{\triangle}\mathbb{C}\ \xrightarrow{\mathcal{P}_{n}}\ \left\{\begin{matrix}(az+b\zeta)^{n}\\ a\in\mathbb{C}\ni b\end{matrix}\right\} = \mathbb{C}^{1|1}\underset{\omega}{\triangle}\overset{n}{\mathbb{C}}$$

$$S\colon = \sum_{0\leqslant n}\,(\overset{n}{-1})\,\mathcal{P}_{n}\mathcal{S}\left({}_{0}\mathbb{\daleth}+\zeta\,{}_{1}\mathbb{\daleth}\right) = S\,{}_{0}\mathbb{\daleth}-\zeta S\,{}_{1}\mathbb{\daleth}$$

$$\mathcal{S} = \begin{array}{c|c} S & 0 \\ \hline 0 & -S \end{array}$$

$$\mathbb{\daleth} = \sum_{0\leqslant n} z^{n}\,a_{n}+\zeta\,z^{n}\,b_{n} = a_{0}+\sum_{1\leqslant n} z^{n}\,a_{n}+\zeta\,z^{n}\,b_{n} = a_{0}+\sum_{1\leqslant n} z^{n}\,a_{n}+\zeta\,z^{n}\,b_{n}$$