$$+\,\hbar_{\triangle\!\!\!\_\,\infty}\underbrace{\bar{\hbar}\blacktriangle\,{}^{r}\mathbb{K}_{r}^{I}\vartheta}\ni\dot{\Upsilon}_{\cdot}=\left(\overset{i}{\Upsilon}_{j}\right)$$

$$\hbar_{\triangle\!\!\!\_\,\infty}\underbrace{\bar{\hbar}\blacktriangle\overset{I}{\mathbb{K}}}\ni\overset{i}{\Upsilon}_{j}$$

$$\overbrace{{}_{1}\flat\cdots{}_{p}\flat}\,\overset{i}{\Upsilon}_{j}=\left(\overset{i}{\overbrace{{}_{1}\flat\cdots{}_{p}\flat}}\Upsilon\right)_{j}$$

$$\overset{i}{\Upsilon}\bowtie\Psi_{k}=\overset{i}{\Upsilon}_{j}\bowtie\overset{j}{\Psi}_{k}-\overset{j}{\Upsilon}_{k}\bowtie\overset{i}{\Psi}_{j}=\overset{i}{\Upsilon}_{j}\bowtie\overset{j}{\Psi}_{k}-\overset{pq}{(-1)}\,\overset{i}{\Psi}_{j}\bowtie\overset{j}{\Upsilon}_{k}$$

$$\dot{\Upsilon}\bowtie\Psi_{\cdot}=\dot{\Upsilon}_{\cdot}\bowtie\dot{\Psi}_{\cdot}-\overset{pq}{(-1)}\,\dot{\Psi}_{\cdot}\bowtie\dot{\Upsilon}_{\cdot}$$

$$\overbrace{{}_{1}\flat\cdots{}_{p+q}\flat}\,\left(\Upsilon\overset{i}{\bowtie}\Psi\right)_{k}=\left(\overset{i}{\overbrace{{}_{1}\flat\cdots{}_{p+q}\flat}}\Upsilon\bowtie\Psi\right)_{k}=\sum_{\sigma}\overset{\sigma}{(-1)}\left(\overset{i}{\overbrace{{}_{\sigma_1}\flat\cdots{}_{\sigma_p}\flat}}\Upsilon\right)\times\left(\overbrace{{}_{\sigma_{p+1}}\flat\cdots{}_{\sigma_{p+q}}\flat}\Psi\right)_{k}=$$

$$\sum_{\sigma}\overset{\sigma}{(-1)}\left(\overset{i}{\overbrace{{}_{\sigma_1}\flat\cdots{}_{\sigma_p}\flat}}\Upsilon\right)_{j}\left(\overset{j}{\overbrace{{}_{\sigma_{p+1}}\flat\cdots{}_{\sigma_{p+q}}\flat}}\Psi\right)_{k}-\left(\overset{i}{\overbrace{{}_{\sigma_{p+1}}\flat\cdots{}_{\sigma_{p+q}}\flat}}\Psi\right)_{j}\left(\overset{j}{\overbrace{{}_{\sigma_1}\flat\cdots{}_{\sigma_p}\flat}}\Upsilon\right)_{k}=$$

$$\sum_{\sigma}\overset{\sigma}{(-1)}\overbrace{{}_{\sigma_1}\flat\cdots{}_{\sigma_p}\flat}\,\overset{i}{\Upsilon}_{j}\overbrace{{}_{\sigma_{p+1}}\flat\cdots{}_{\sigma_{p+q}}\flat}\,\overset{j}{\Psi}_{k}-\overbrace{{}_{\sigma_1}\flat\cdots{}_{\sigma_p}\flat}\,\overset{i}{\Upsilon}_{k}\overbrace{{}_{\sigma_{p+1}}\flat\cdots{}_{\sigma_{p+q}}\flat}\,\overset{i}{\Psi}_{j}=\overbrace{{}_{1}\flat\cdots{}_{p+q}\flat}\left(\overset{i}{\Upsilon}_{j}\bowtie\overset{j}{\Psi}_{k}-\overset{j}{\Upsilon}_{k}\bowtie\overset{i}{\Psi}_{j}\right)$$

$$\Upsilon\bowtie\Psi+\overset{pq}{(-1)}\,\Psi\bowtie\Upsilon=0$$