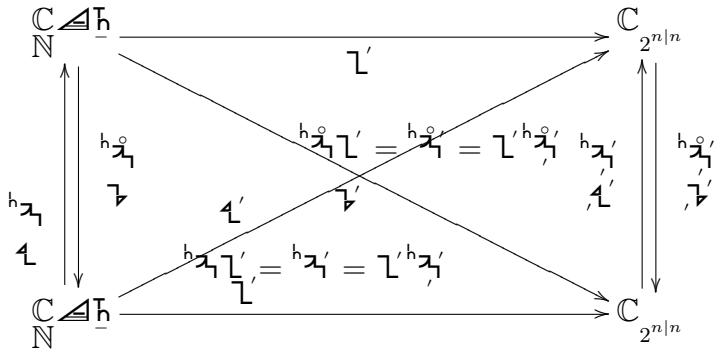
$$\begin{array}{ccc} \mathbb{C}^{\mathbb{N}} & \xrightarrow{\quad} & \mathbb{C}^{2^{n|n}} \end{array}$$

$$\vdots = \underbrace{\vdots}_{\vdots}, \vdots$$

$$\vdots = \underbrace{\vdots}_{\vdots}, \vdots$$



$$\vdots \cdots \vdots = \underbrace{\vdots}_{\vdots} \underbrace{\vdots}_{\vdots} \cdots = \det \underbrace{\vdots}_{I} \underbrace{\vdots}_{J} \cdots$$

$$\vdots = \begin{cases} \underbrace{\vdots}_{\vdots}, \vdots \\ \underbrace{\vdots}_{\vdots}, \vdots \end{cases}$$

$$\vdots = \begin{cases} \underbrace{\vdots}_{\vdots}, \vdots \\ \underbrace{\vdots}_{\vdots}, \vdots \end{cases}$$

$$\vdots \; \vdots = \begin{cases} \underbrace{\vdots}_{\vdots}, \vdots & = \underbrace{\vdots}_{\vdots}, \vdots \\ \underbrace{\vdots}_{\vdots} \vdots & = \underbrace{\vdots}_{\vdots}, \vdots \end{cases}$$

$$\vdots \; \vdots = \begin{cases} \underbrace{\vdots}_{\vdots}, \vdots & = \underbrace{\vdots}_{\vdots}, \vdots \\ \underbrace{\vdots}_{\vdots} \vdots & = \underbrace{\vdots}_{\vdots}, \vdots \end{cases}$$

$$\begin{cases} \vdots & = \underbrace{\vdots}_{\vdots}, \vdots = \underbrace{\vdots}_{\vdots}, \vdots \\ \vdots & = \underbrace{\vdots}_{\vdots}, \vdots = \underbrace{\vdots}_{\vdots}, \vdots \end{cases}$$

$$\begin{cases} \vdots & = \underbrace{\vdots}_{\vdots}, \vdots = \underbrace{\vdots}_{\vdots}, \vdots \\ \vdots & = \underbrace{\vdots}_{\vdots}, \vdots = \underbrace{\vdots}_{\vdots}, \vdots \end{cases}$$

$$\begin{cases} \vdots & = \underbrace{\vdots}_{\vdots}, \vdots = \underbrace{\vdots}_{\vdots}, \vdots \\ \vdots & = \underbrace{\vdots}_{\vdots}, \vdots = \underbrace{\vdots}_{\vdots}, \vdots \end{cases}$$

$$\begin{cases} \vdots & = \underbrace{\vdots}_{\vdots}, \vdots = \underbrace{\vdots}_{\vdots}, \vdots \\ \vdots & = \underbrace{\vdots}_{\vdots}, \vdots = \underbrace{\vdots}_{\vdots}, \vdots \end{cases}$$

$\mathbb{C}\wr\mathbb{N}$
$\mathbb{C}\wr\mathbb{N}$
$\mathbb{C}\wr\mathbb{N}$
$\mathbb{C}\wr\mathbb{N}$

$$\mathbb{C} \trianglelefteq \underline{H}_{\mathbb{N}}$$

$$\mathbb{C} \trianglelefteq \underline{H}_{\mathbb{N}} \times H$$

$$\underline{H}^{\circ}_{\mathbb{N}}(G/H) \qquad \underline{H}_{\mathbb{N}}(G/H)$$

$$\underline{H}_{\mathbb{N}}(G/K) \qquad \underline{H}_{\mathbb{N}}(G/L)$$

$$\underline{H}_{\mathbb{N}}(G/L) \qquad \underline{H}_{\mathbb{N}}(G/K)$$

$$\underline{H}^{\circ}_{\mathbb{N}}(G/K) \qquad \underline{H}_{\mathbb{N}}(G/H)$$

$$\underline{H}_{\mathbb{N}}(G/H) = \underline{H}_{\mathbb{N}}(G/H)\underline{\nu}_H = \underline{H}_{\mathbb{N}}(G/H)$$

$$\underline{\nu}_H$$

$$\underline{\nu}_H$$

$$\underline{H}_{\mathbb{N}}(G/H) = \underline{H}_{\mathbb{N}}(G/H)\underline{\nu}_H = \underline{H}_{\mathbb{N}}(G/H)$$

$$\mathbb{C} \trianglelefteq \underline{H}_{\mathbb{N}}$$

$$\mathbb{C} \trianglelefteq \underline{H}_{\mathbb{N}}$$

$$\underline{1}_H = \begin{cases} \underline{1}_K & \\ \underline{1}_L & \end{cases}$$

$$\begin{cases} \underline{1}_K = \underline{1}^{\circ}_K \underline{\nu}_H \\ \underline{1}_L = \underline{1}_L \underline{\nu}_H \end{cases}$$

$$\underline{1}\underline{\nu}_H = \begin{cases} \underline{1}_K & \\ \underline{1}_L & \end{cases}$$

$$\begin{cases} \text{[illegible]} & = \underbrace{\text{[illegible]}}\ \text{[illegible]} \\ \text{[illegible]} & = \underbrace{\text{[illegible]}}\ \text{[illegible]} \end{cases}$$

$$\begin{cases} \text{[illegible]} & = \underbrace{\text{[illegible]}}\ \text{[illegible]} \\ \text{[illegible]} & = \underbrace{\text{[illegible]}}\ \text{[illegible]} \end{cases}$$