$$\mathbb{C}^n \underset{\omega}{\overset{2}{\lrtriangle}} \overset{\nu}{\mathbb{C}} = \frac{\urcorner \in \mathbb{C}^n \underset{\omega}{\lrtriangle} \mathbb{C}}{\nu^n \int_{dz/\pi^n}^{\mathbb{C}^n} \underbrace{-\nu z \bowtie z} e \overline{\, {}^{z} \urcorner}^{2} < \infty}$$

$$ {}^{z}K_w = \underbrace{\nu z \bowtie w} e $$

$$ {}^{z}I = {}^{z}K_{\bar{z}}^{1/2} = \underbrace{\nu z \bowtie \bar{z}/2} e $$

$$ V \underset{\omega}{\overset{2}{\lrtriangle}} \overset{\xi}{\mathbb{C}} $$

$$ \xi \in \Omega^\sharp $$

$$ {}^{v_1 \Phi v_2 | \xi} e = \Delta_\xi^{d_2^\sharp / r} \int_{dv/\pi^{d_2}}^{V} \underbrace{v_1 \Phi v | \xi} e \; \underbrace{-v \Phi v | \xi}_{e} e \; \underbrace{v \Phi v_2 | \xi} $$

$$ \left(v_1 \Phi v_2\right) | \varepsilon = 2 \left(v_1 \overset{\circledast}{v}_2 e\right) \bowtie e = 2\, v_1 \bowtie \left(v_2 \overset{\circledast}{e} e\right) = v_1 \bowtie v_2 $$

$$ \int_{dv/\pi^{d_2}}^{V} \underbrace{v_1 \Phi v | \varepsilon} e \; \underbrace{-v \Phi v | \varepsilon} e \; \underbrace{v \Phi v_2 | \varepsilon} e = \underbrace{v_1 \Phi v_2 | \varepsilon} e $$

$$ d \overbrace{g_\xi v} = \Delta_{d_2/r}^{g_\xi e} dv = \Delta_{g_\xi^\sharp \varepsilon}^{d_2^\sharp / r} dv = \Delta_\xi^{d_2^\sharp / r} dv $$