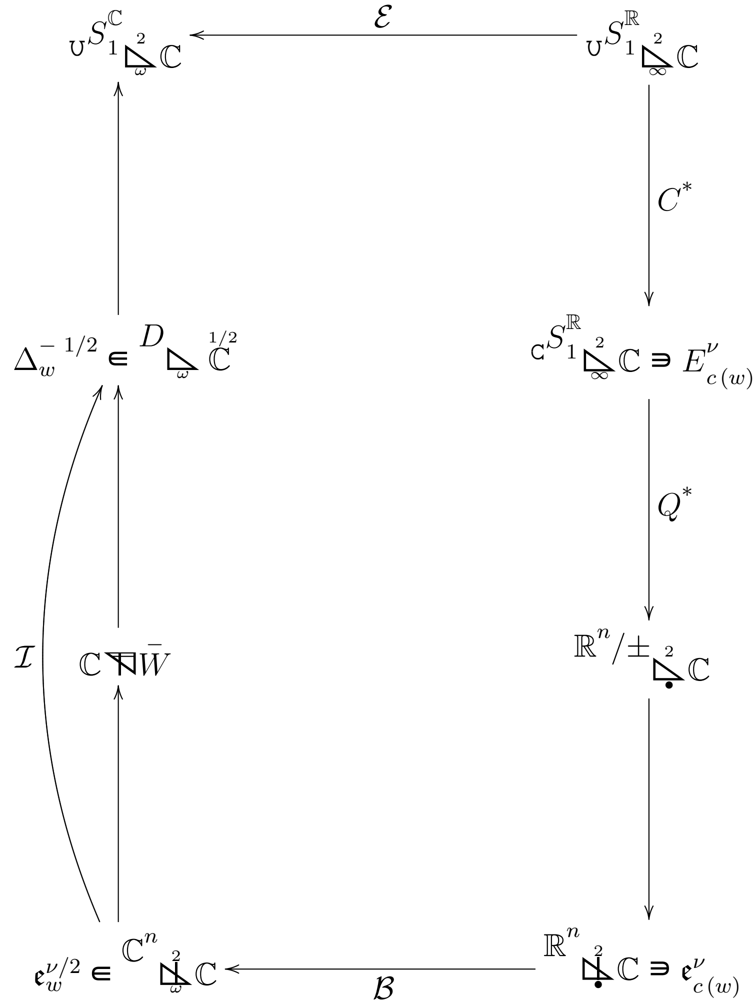
$$^{z}\underline{G}_{w} = {}^{z}\Delta_{w}$$



$$^{y}E^{\nu}_{c(w)} = e^{\nu \, yc(\overset{*}{w})} \Longrightarrow 2^{n/4} \, \left(I + \overset{*}{w}\right)^{-1/2} \, \mathfrak{e}^{\nu}_{c(w)} \in \mathrm{C}S_{1}^{\mathbb{R}} \, {}^{2}_{\infty} \, \mathbb{C}$$

$$^{\xi}\mathfrak{e}^{\nu}_{c(w)} = {}^{\xi}\mathfrak{e}^{\nu}_{\xi c(w)} \Longrightarrow \mathfrak{e}^{\nu}_{c(w)} \in \mathbb{R}^{n} \, {}^{2}_{\bullet} \, \mathbb{C}$$

$$^{\zeta}\mathfrak{e}^{\nu/2}_{w} = {}^{\zeta}\mathfrak{e}^{\nu/2}_{\bar{\zeta} w} \Longrightarrow \mathfrak{e}^{\nu/2}_{w} \in \mathbb{C}^{n} \, {}^{2}_{\omega} \, \mathbb{C}$$

$$^{z}\Delta^{-1/2}_{w} = \left(I - z\overset{*}{w}\right)^{-1/2} \Longrightarrow \Delta^{-1/2}_{w} \in D_{\omega} \, \mathbb{C}^{1/2}$$

$$\mathcal{B}\,2^{n/4}\,\overbrace{I+\overset{*}{w}}^{-\,1/2}\;\mathfrak{e}^{\nu}_{c\,(w)} = \mathfrak{e}^{\nu/2}_{w}$$

$$_{\subset}S^{\mathbb{R}}_{1}\xrightarrow[\asymp]{C}{}_{\cup}S^{\mathbb{R}}_{1}:\quad {}^{x}C = \overbrace{x+e}^{-1}\,\underbrace{x-e}$$

$$\mathbb{R}^{n}/2\xrightarrow[\asymp]{Q}{}_{\subset}S^{\mathbb{R}}_{1}:\quad {}^{\xi}Q = \xi\,\overset{t}{\xi}\geqslant 0$$

$${}^{\zeta}\overbrace{\mathcal{B}\daleth} = \mathcal{B}_{\zeta}\bowtie\daleth = 2^{n/4}\int_{d\xi}^{\mathbb{R}^{n}}{}^{\zeta}\mathcal{B}_{\xi}\,{}^{\xi}\daleth:\quad {}^{\zeta}\mathcal{B}_{\xi} = {}^{\zeta}\mathfrak{e}^{-\nu/2}_{\bar{\zeta}}\,{}^{\xi}\mathfrak{e}^{-\nu/2}_{\xi}\,{}^{\zeta}\mathfrak{e}^{2\nu}_{\xi}$$

$${}^{z}\overbrace{\mathcal{I}\daleth} = \mathcal{I}_{z}\bowtie\daleth:\quad {}^{\zeta}\mathcal{I}_{z} = \overbrace{\pi/\nu}^{n/2}\,{}^{\zeta}\mathfrak{e}^{\nu/2}_{z}$$

$${}^{z}\overbrace{\mathcal{I}\mathcal{B}\daleth} = {}^{z}\overbrace{\mathcal{I}\underbrace{\mathcal{B}\daleth}} = \mathcal{I}_{z}\bowtie\underbrace{\mathcal{B}\daleth}\;\underset{\text{unit}}{=}\;\overset{-1}{\mathcal{B}}\,\mathcal{I}_{z}\bowtie\daleth$$

$${}^{\xi}\overbrace{\overset{-1}{\mathcal{B}}\mathcal{I}_{z}} = 2^{n/4}\,\overbrace{e+z}^{-\,1/2}\;{}^{\xi}\mathfrak{e}^{\nu}_{\underbrace{z+e}_{-1}\underbrace{z-e}\xi}\;{}^{\xi}\mathfrak{e}^{\nu/2}_{\xi} = 2^{n/4}\,\overbrace{e+z}^{-\,1/2}\;\mathfrak{e}^{\nu}\underbrace{\overbrace{z+e}^{-1}\underbrace{z-e}\overset{t}{\xi}\xi}\;\mathfrak{e}^{\nu}\underbrace{\overset{t}{\xi}}/2$$

$${}^{z}\mathcal{E}_{x} = \underbrace{\overbrace{z+e}^{-1}\underbrace{z-e}\overbrace{x+e}^{-1}\underbrace{x-e}}$$

$${}^{z}F_{t} = \exp\frac{\nu}{2}\,\underbrace{z\bowtie\underbrace{t\bar{z}}}\in\mathbb{C}^{n}_{\text{ev}}\underset{\omega}{\triangle}\mathbb{C}$$

$$\daleth\bowtie\gimel = e^{-\nu w\bowtie w}\int_{dw}^{\mathbb{C}^{n}}{}^{z}\bar{\daleth}\,{}^{z}\gimel$$

$${}^{s}\Phi_{t} = \det\,\underbrace{1-s\bar{t}}^{-\,1/2}\in S^{\mathbb{C}}_{1}\underset{\omega}{\triangle}\mathbb{C}$$

$$F_{s}\bowtie F_{t} = {}^{s}\Phi_{t} = \Phi_{s}\,\mathfrak{C}\,\Phi_{t}$$

$$e^{-\nu w\bowtie w}\int_{dw}^{\mathbb{C}^{n}}\exp\frac{\nu}{2}\,\underbrace{w\bowtie\overline{Aw}+\bar{w}\bowtie\underline{\bar{D}w}+2u\bowtie\bar{w}+2v\bowtie w}$$

$$=\det\,\underbrace{I-AD}^{-\,1/2}\exp\frac{\nu}{2}\left(u\bowtie D\,\overline{\underbrace{I-AD}^{-1}u}+u\bowtie D\,\overline{\underbrace{I-AD}^{-1}u}+u\bowtie D\,\overline{\underbrace{I-AD}^{-1}u}+u\bowtie D\,\overline{\underbrace{I-AD}^{-1}u}\right)$$