$$\int_{d\zeta}^{\mathbb{C}_r} {}^{\zeta}\daleth = \int_{ds}^{\mathbb{R}_>} s^{2r-1} \int_{d\vartheta}^{\mathbb{S}_{2r-1}} {}^{s\vartheta}\daleth$$

$$\int_{dy}^{Z_1} {}^{y}\rceil = \int_{dt}^{\mathbb{R}_>} t^{r-1} \int_{du}^{S_1} {}^{tu}\rceil$$

$$\xi \sim -\xi$$

$$\overbrace{-\xi}^{t}\ \overbrace{-\xi} = \overset{t}{\xi}\,\xi$$

$$Z_1^{\mathbb{R}} = \mathbb{C}_r \ulcorner \mathbb{R}^{\mho}$$

$$S_1^{\mathbb{R}} = \mathbb{S}_{2r-1} \ulcorner \mathbb{R}^{\mho}$$

$$\varphi \sim -\varphi$$

$$\overbrace{-\varphi}^{t}\ \overbrace{-\varphi} = \overset{t}{\varphi}\,\varphi$$

$${}^{x}\dagger = \mathfrak{e}^{-\sqrt{x\between x}/2}\ {}^{x}\rceil$$

$${}^{x}\dagger = \int_{dy}^{Z_1} {}^{x}E_y^{\mathbb{R}}\ {}^{y}\dagger$$

$$\mathfrak{e}^{-\sqrt{x\between x}/2}\ {}^{x}\rceil = \int_{dy}^{Z_1} {}^{x}E_y^{\mathbb{R}}\ \mathfrak{e}^{-\sqrt{y\between y}/2}\ {}^{y}\rceil$$

$${}^{x}\rceil = \int_{dy}^{Z_1} \mathfrak{e}^{\sqrt{x\between x}/2}\ {}^{x}E_y^{\mathbb{R}}\ \mathfrak{e}^{-\sqrt{y\between y}/2}\ {}^{y}\rceil = \int_{dy}^{Z_1} \underbrace{\mathfrak{e}^{\sqrt{x\between x}/2}{}^{x}E_y^{\mathbb{R}}\mathfrak{e}^{\sqrt{y\between y}/2}}_{\text{sesqui-hol}}\ \mathfrak{e}^{-\sqrt{y\between y}}\ {}^{y}\rceil$$

$$\mathfrak{e}^{\sqrt{x \blacktriangledown x}/2} \; {}^{x}E_{y}^{\mathbb{R}} \; \mathfrak{e}^{\sqrt{y \blacktriangledown y}/2} = \sum_{m} \frac{x \overset{m}{\blacktriangledown} y}{(2m)!}$$

$${}^{\xi}\mathbb{1} = \int_{d\sigma}^{\mathbb{C}_r} \mathfrak{e}^{\xi \overset{*}{\sigma}} \; \mathfrak{e}^{-\sigma \overset{*}{\sigma}} \; {}^{\sigma}\mathbb{1} = \int_{d\sigma}^{\mathbb{C}_r} \mathfrak{e}^{\overbrace{\xi - \sigma} \overset{*}{\sigma}} \; {}^{\sigma}\mathbb{1}$$

$$\mathfrak{e}^{\xi \overset{*}{\alpha}} = \int_{d\sigma}^{\mathbb{C}_r} \mathfrak{e}^{\xi \overset{*}{\sigma}} \; \mathfrak{e}^{-\sigma \overset{*}{\sigma}} \; \mathfrak{e}^{\sigma \overset{*}{\alpha}} : \quad \overbrace{\xi \overset{*}{\alpha}}^{m} = \int_{d\sigma}^{\mathbb{C}_r} \mathfrak{e}^{\xi \overset{*}{\sigma}} \; \mathfrak{e}^{-\sigma \overset{*}{\sigma}} \; \overbrace{\sigma \overset{*}{\alpha}}^{m}$$

$$x = \overset{t}{\xi} \, \xi : \quad y = \overset{t}{\sigma} \, \sigma : \quad c = \overset{t}{\alpha} \, \alpha$$

$$x \blacktriangledown c = \text{ tr } x \overset{*}{c} = \text{ tr } \overset{t}{\xi} \, \xi \, \overset{*}{\alpha} \; \bar{\alpha} = \overbrace{\xi \overset{*}{\alpha}}^{2} : \quad y \blacktriangledown c = \text{ tr } y \overset{*}{c} = \text{ tr } \overset{t}{\sigma} \, \sigma \, \overset{*}{\alpha} \; \bar{\alpha} = \overbrace{\sigma \overset{*}{\alpha}}^{2}$$

$$x \blacktriangledown y = \text{ tr } x \overset{*}{y} = \text{ tr } \overset{t}{\xi} \, \xi \, \overset{*}{\sigma} \; \bar{\sigma} = \overbrace{\xi \overset{*}{\sigma}}^{2}$$

$$\mathfrak{e}^{-\sigma \overset{*}{\sigma}} = \mathfrak{e}^{-\sqrt{y \blacktriangledown y}}$$

$$x \overset{m}{\blacktriangledown} c = \overbrace{\xi \overset{*}{\alpha}}^{2m} = \overbrace{\xi \overset{*}{\alpha}}^{2m} \underset{2}{+} \overbrace{-\xi \overset{*}{\alpha}}^{2m} = \int_{d\sigma}^{\mathbb{C}_r} \mathfrak{e}^{-\sigma \overset{*}{\sigma}} \; \overbrace{\mathfrak{e}^{\xi \overset{*}{\sigma}} \underset{2}{+} \mathfrak{e}^{-\xi \overset{*}{\sigma}}} \; \overbrace{\sigma \overset{*}{\alpha}}^{2m} = \int_{d\sigma}^{\mathbb{C}_r} \mathfrak{e}^{-\sqrt{y \blacktriangledown y}} \; \overbrace{\mathfrak{e}^{\xi \overset{*}{\sigma}} \underset{2}{+} \mathfrak{e}^{-\xi \overset{*}{\sigma}}} \; y \overset{m}{\blacktriangledown} c$$

$$\mathfrak{e}^{\xi \overset{*}{\sigma}} \underset{2}{+} \mathfrak{e}^{-\xi \overset{*}{\sigma}} = \sum_{n} \frac{\overbrace{\xi \overset{*}{\sigma}}^{n}}{n!} \underset{2}{+} \sum_{n} \frac{\overbrace{-\xi \overset{*}{\sigma}}^{n}}{n!} = \sum_{m} \frac{\overbrace{\xi \overset{*}{\sigma}}^{2m}}{(2m)!} = \sum_{m} \frac{x \overset{m}{\blacktriangledown} y}{(2m)!}$$