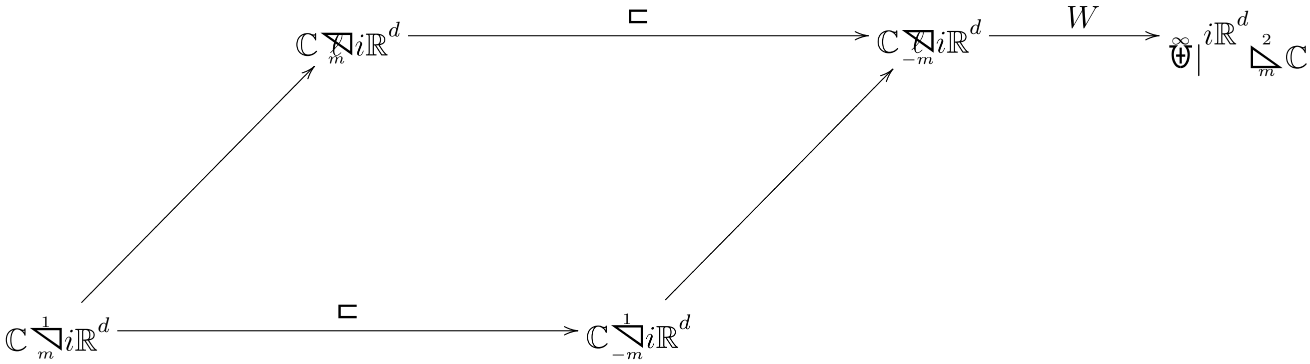

$$\int_{\downarrow \overset{1}{\times} \acute{\downarrow}}^{i\mathbb{R}^d} \daleth = \int_{\downarrow_s}^{i\mathbb{R}^d}\int_{\acute{\downarrow}_t}^{i\mathbb{R}^d} {}^{s+t}\daleth$$

$$\mathbb{C}\overset{1}{\underset{-m}{\triangledown}} i\mathbb{R}^d : \overset{1}{\times} \in \mathbb{C}\overset{1}{\underset{0}{\triangle}}$$

$$\mathbb{C}\underset{-m}{\boxtimes} i\mathbb{R}^d = W^* \frac{u\overset{1}{\times}}{u \in \mathbb{C}\overset{1}{\underset{-m}{\triangledown}} i\mathbb{R}^d}$$

$$\mathbb{C}\overset{1}{\underset{m}{\triangledown}} i\mathbb{R}^d = \frac{{}^s u ds}{u \in {}^{i\mathbb{R}^d}\overset{1}{\underset{m}{\triangle}}\mathbb{C}} \sqsubset \mathbb{C}\overset{1}{\underset{-m}{\triangledown}} i\mathbb{R}^d$$

$${}^s\overbrace{u\overset{1}{\times}\acute{u}} = \int_{dt}^{i\mathbb{R}^d} {}^{s-t}u\,{}^t\acute{u}$$

$$\mathbb{C}\underset{m}{\boxtimes} i\mathbb{R}^d = C^* \frac{\ell_u = u\overset{1}{\times}}{u\in {}^{i\mathbb{R}^d}\overset{1}{\underset{m}{\triangle}}\mathbb{C}}$$

$${}^{i\mathbb{R}^d}\overset{2}{\underset{m}{\triangle}}\mathbb{C} \overset{\ell_u}{\longleftarrow} {}^{i\mathbb{R}^d}\overset{2}{\underset{m}{\triangle}}\mathbb{C}$$

$${}^t\overbrace{\ell_u h} = \int_{ds}^{i\mathbb{R}^d} {}^{t-s}u\,{}^s h$$