$$\mathsf{L} = \bar{\lambda} + \bar{\nu} = \bar{\lambda} + \bar{\lambda} i$$

$$\mathbb{h} \sim \bar{\mathbb{h}} \Leftrightarrow \gamma \in {}^{\mathbb{h}}\underset{\omega}{\triangle}\mathbb{C} \overset{\asymp}{\longleftarrow} {}^{\bar{\mathbb{h}}}\underset{\omega}{\triangle}\mathbb{C} \ni \gamma' : \quad {}^{\bar{\mathbb{h}}}|\gamma = {}^{\mathbb{h}}|\gamma'$$

$$\gamma \in {}^{\bar{h}}_{\nu}\underset{\omega}{\triangle}\mathbb{C} \Longrightarrow \begin{cases} {}^{z}_{\nu}\gamma = {}^{z+\nu}\gamma \\ {}_{\nu}\gamma \in {}^{\bar{h}}_{\nu}\underset{\omega}{\triangle}\mathbb{C} \end{cases}$$

$$\mathbb{C}\underset{0}{\nabla}\overbrace{\bar{h}+\bar{\nu}\underset{\omega}{\triangle}\mathbb{C}} = {}^{\bar{h}+\bar{\nu}}\underset{\omega}{\overset{\sharp}{\triangle}}\mathbb{C} \xrightarrow[\asymp]{\overset{\sharp}{\varrho}} \hat{\bar{h}} + \bar{\nu}$$

$$\gamma \in {}^{\bar{h}}_{\nu}\underset{\omega}{\triangle}\mathbb{C} \overset{\asymp}{\longleftarrow} {}^{\hat{\bar{h}}}_{\nu}\underset{\omega}{\triangle}\mathbb{C} \ni \hat{\gamma} = {}_{\hat{\bar{h}}}\gamma : \quad {}^{\bar{h}}_{\bar{\nu}}|\hat{\gamma} = {}^{\hat{\bar{h}}}_{\bar{\nu}}|\gamma$$

$$\underline{\lambda} = \overline{0|\lambda}$$

$$\underline{\lambda\kappa} = \operatorname{co}\left(\underline{\lambda} \cup \underline{\kappa}\right)$$

$$\text{lin unabh } \mathfrak{k}:\mathfrak{l} \in \mathfrak{L} \supset \mathfrak{h} \ni 0 \Rightarrow \bigwedge_{0<\varepsilon\leqslant 1/2} (1-\varepsilon)\,\mathfrak{k}|0|\mathfrak{l} \subset \overbrace{0|\mathfrak{k}\cup 0|\mathfrak{l} + \mathfrak{T}_{<2|\mathfrak{k}+\mathfrak{l}|/\varepsilon}}^{\mathfrak{h}+\mathfrak{T}}$$

$${}_1\mathfrak{v}\ 0\ {}_2\mathfrak{v} = \begin{cases} x{:}u \in \mathbb{R}^2 \\ x\geqslant 0 \leqslant u{:}x+u\leqslant 1 \end{cases} \supset {}_1\mathfrak{v}\ 0 \cup {}_2\mathfrak{v}\ 0 = \begin{cases} x{:}u \in {}_1\mathfrak{v}0{}_2\mathfrak{v} \\ xu = 0 \end{cases}$$

$$0<\varepsilon\leqslant 1/2{:}\quad {}^{z:w}h_\varepsilon = z+w-\varepsilon\left(z^2+w^2\right) \Rightarrow \mathbb{C}^2 \xrightarrow[\text{hol}]{h_\varepsilon} \mathbb{C} \Rightarrow S_\varepsilon = \begin{cases} z{:}w \in \mathbb{C}^2 \\ {}^{z:w}h_\varepsilon = 1-\varepsilon \end{cases} \underset{\text{ana}}{\subset} \mathbb{C}^2$$

$$S_\varepsilon\ \dot{\cap}\ {}_1\mathfrak{v}\ 0\ {}_2\mathfrak{v} + \mathfrak{T}^{\cdot} = S_\varepsilon\ \dot{\cap}\ {}_1\mathfrak{v}\ 0\ {}_2\mathfrak{v} + \mathbb{R}^2_{<1/\varepsilon}\, i \text{ cpt}$$

$$x+iy{:}u+iv \in S_\varepsilon\ \dot{\cap}\ {}_1\mathfrak{v}\ 0\ {}_2\mathfrak{v} + \mathfrak{T}^{\cdot} \Rightarrow x+u-\varepsilon\left(x^2+u^2\right)+\varepsilon\left(y^2+v^2\right) = 1-\varepsilon \Rightarrow y^2+v^2 \leqslant \frac{1-\varepsilon}{\varepsilon} \leqslant \frac{1}{\varepsilon}$$

$$\Rightarrow \begin{cases} \ulcorner y \urcorner \\ \ulcorner v \urcorner \end{cases} \leqslant \frac{1}{{}^{1/2}\varepsilon} \leqslant \frac{1}{\varepsilon}$$

$$S_\varepsilon\ \dot{\cap}\ \partial\ {}_1\mathfrak{v}\ 0\ {}_2\mathfrak{v} + \mathfrak{T}^{\cdot} = S_\varepsilon\ \dot{\cap}\ {}_1\mathfrak{v}\ 0 \cup {}_2\mathfrak{v}\ 0 + \mathfrak{T}^{\cdot}$$

$$\bigwedge_{x+iy:u+iv}^{\in S_\varepsilon} \begin{cases} x\geqslant 0\leqslant u \\ x+u=1 \end{cases} \Rightarrow 1-\varepsilon\left(x^2+u^2\right)+\varepsilon\left(y^2+v^2\right) = 1-\varepsilon \Rightarrow \begin{cases} 1\leqslant 1+y^2+v^2 = x^2+u^2 \leqslant x+u = 1 \\ y=0=v \Rightarrow x^2+u^2 = x+u \end{cases}$$

$$\Rightarrow xu = 0$$

$$\bigwedge_{x:u}^{(1-\varepsilon)\ {}_1\mathfrak{v}\ 0\ {}_2\mathfrak{v}} \bigvee_{y:v}^{\mathbb{R}^2_{<1/\varepsilon}} x\pm iy{:}u\pm iv \in S_\varepsilon$$

$$1-\varepsilon \geqslant x+u \geqslant x+u-\varepsilon\left(x^2+u^2\right) \Rightarrow \bigvee_{(y:v)\in\mathbb{R}^2} (1-2\varepsilon x)\,y + (1-2\varepsilon u)\,v = 0$$

$$\varepsilon\left(y^2+v^2\right) = 1-\varepsilon-\left(x+u-\varepsilon\left(x^2+u^2\right)\right) \geqslant 0 \Rightarrow x\pm iy{:}u\pm iv \in S_\varepsilon\ \dot{\cap}\ {}_1\mathfrak{v}\ 0\ {}_2\mathfrak{v} + \mathfrak{T}^{\cdot} = S_\varepsilon\ \dot{\cap}\ {}_1\mathfrak{v}\ 0\ {}_2\mathfrak{v} + \mathbb{R}^2_{<1/\varepsilon}$$

$$\begin{cases}\mathbb{C}^2 \supset U \supset S_\varepsilon \dot{\cap}\, {}_1 \imath 0\, {}_2 \imath + \imath^{\cdot} \\ \gamma \in {}^{U}\triangle_{\omega} \mathbb{C}\end{cases} \Longrightarrow {}^{S_\varepsilon \dot{\cap}\, {}_1\imath 0\, {}_2\imath + \imath^{\cdot}} \overset{\bullet}{\gamma} = {}^{S_\varepsilon \dot{\cap}\, {}_1\imath 0 \,\cup\, {}_2\imath 0 + \imath^{\cdot}} \overset{\bullet}{\gamma}$$

$$\varnothing \neq \Sigma := \begin{cases} z{:}w \in S_\varepsilon \dot{\cap}\, {}_1\imath 0\, {}_2\imath + \imath^{\cdot} \text{ cpt} \\ \overline{z{:}w}\gamma = {}^{S_\varepsilon \dot{\cap}\, {}_1\imath 0\, {}_2\imath + \imath^{\cdot}} \overset{\bullet}{\gamma}\end{cases} \subset S_\varepsilon \ \dot{\cap}\ {}_1\imath\ 0\ {}_2\imath\ + \imath^{\cdot}$$

$$\lightning\ {}^{S_\varepsilon \dot{\cap}\, {}_1\imath 0\, {}_2\imath + \imath^{\cdot}} \overset{\bullet}{\gamma} > {}^{S_\varepsilon \dot{\cap}\, {}_1\imath 0 \,\cup\, {}_2\imath 0 + \imath^{\cdot}} \overset{\bullet}{\gamma} \Rightarrow \Sigma \subset S_\varepsilon\ \dot{\cap}\ {}_1\imath\ 0\ {}_2\imath \llcorner {}_1\imath\ 0 \cup {}_2\imath\ 0 + \imath^{\cdot} = S_\varepsilon\ \dot{\cap}\ {}_1\imath\ 0\ {}_2\tilde{\imath} + \imath^{\cdot}$$

$$\text{Sei } z{:}w \in \Sigma \Rightarrow {}^{z:w}\overline{\partial_z h_\varepsilon} = 1 - 2\varepsilon z \neq 0 \Longleftarrow 0 \leqslant x < 1$$

$$\varepsilon \leqslant 1/2 \underset{\text{SIF}}{\Rightarrow} \begin{cases} \bigvee {}^{z}\mathbb{C}^{\delta}_{<} \xrightarrow[\text{hol}]{\varphi} \mathbb{C} \\ {}^{z}\varphi = w \end{cases} \quad z{:}w \in \mathcal{G}_\varphi = \begin{cases} \zeta{:}{}^{\zeta}\varphi \\ \zeta \in {}^{z}\mathbb{C}^{\delta}_{<} \end{cases} \subset S_\varepsilon$$

$$x{:}u \in {}_1\imath\ 0\ {}_2\tilde{\imath} \underset{\text{OE}}{\Rightarrow} \mathcal{G}_\varphi \subset S_\varepsilon \cap \underbrace{{}_1\imath 0\, {}_2\tilde{\imath} + \imath^{\cdot}}: \quad {}^{\zeta}g = {}^{\zeta:{}^{\zeta}\varphi}\gamma \in {}^{{}^{z}\mathbb{C}^{\delta}_{<}}\triangle_{\omega}\mathbb{C}$$

$$z{:}w \in \Sigma \Rightarrow \overline{{}^{z}g} = \overline{{}^{z:{}^{z}\varphi}\gamma} = S_\varepsilon \cap \underbrace{{}_1\imath 0\, {}_2\imath + \imath^{\cdot}} \geqslant {}^{\zeta \in {}^{z}\mathbb{C}^{\delta}_{<}} \overset{\bullet}{\overline{{}^{\zeta:{}^{\zeta}\varphi}\gamma}} = {}^{{}^{z}\mathbb{C}^{\delta}_{<}} \overset{\bullet}{\overline{g}}$$

$$\underset{\text{MAX}}{\Rightarrow} g = \text{ cst auf } {}^{z}\mathbb{C}^{\delta}_{<} \Rightarrow \overline{{}^{\zeta:{}^{\zeta}\varphi}\gamma} = \overline{{}^{\zeta}g} = \overline{{}^{z}g} = \overline{{}^{z:w}\gamma} \Rightarrow \zeta{:}{}^{\zeta}\varphi \in \Sigma \Rightarrow \mathcal{G}_\varphi \subset \Sigma$$

$$\text{bel } z{:}w \in \Sigma \Rightarrow \Sigma \subset S_\varepsilon \cap {}_1\imath\ 0\ {}_2\tilde{\imath} + \imath^{\cdot} \text{ zush } \Rightarrow \Sigma = S_\varepsilon \cap {}_1\imath\ 0\ {}_2\tilde{\imath} + \imath^{\cdot} \underset{\text{hull}}{\subset} S_\varepsilon \cap {}_1\imath\ 0\ {}_2\imath + \imath^{\cdot} \Rightarrow \overline{\gamma}\ \underset{S_\varepsilon \cap {}_1\imath 0\, {}_2\imath + \imath}{=}$$

$$\mathbb{C}^2 \xrightarrow[\text{lin}]{\ell} \imath + \imath: \quad (z{:}w)\,\ell = a_1 z + a_2 w \Rightarrow T = {}_1\imath\ 0\ {}_2\imath\ \ell: \quad A_0 = {}_1\bar{\imath} \cup {}_2\bar{\imath}\ \ell$$

$$a \in (1-\varepsilon)\,A \Rightarrow \bigvee_{x:u}^{(1-\varepsilon)\ {}_1\imath\ 0\ {}_2\imath} (x{:}u)\,\ell = a \Rightarrow \bigvee_{y:v}^{\mathbb{R}^2_{<1/\varepsilon}} (x - iy{:}u - iv) \in S_\varepsilon \cap {}_1\imath\ 0\ {}_2\imath + \imath^{\cdot}_{<1/\varepsilon}$$

$$(iy{:}iv)\,\ell = b \in \imath \Rightarrow \overline{b} = \overline{a_1 y + a_2 v} \leqslant \overline{a_1}\,\overline{y} + \overline{a_2}\,\overline{v} \leqslant \frac{\overline{a_1} + \overline{a_2}}{\varepsilon}$$

$$\Rightarrow \overline{\kappa}\gamma = \overline{a-b}_{\llcorner}\gamma = \overline{(x - iy{:}u - iv)\,\ell}_{\llcorner}\gamma \leqslant {}^{S_\varepsilon \cap\, {}_1\imath 0\, {}_2\imath + \imath^{\cdot}_{<1/\varepsilon}} \overset{\bullet}{\overline{\ell \ltimes_{\llcorner} \gamma}}$$

$$= {}^{S_\varepsilon \cap\, {}_1\imath 0\, {}_2\tilde{\imath} + \imath^{\cdot}_{<1/\varepsilon}} \overset{\bullet}{\overline{\ell \ltimes_{\llcorner} \gamma}} \leqslant {}^{{}_1\imath 0\, {}_2\tilde{\imath} + \imath^{\cdot}_{<1/\varepsilon}} \overset{\bullet}{\overline{\ell \ltimes_{\llcorner} \gamma}} \leqslant {}^{A_0 + i\frac{\overline{a_1} + \overline{a_2}}{\varepsilon}\overline{\ell}} \overset{\bullet}{\gamma_{\llcorner}} \leqslant {}^{A_0 + i\frac{\overline{\kappa} + \overline{\kappa}}{\varepsilon/2}\underline{\ell}} \overset{\bullet}{\gamma}$$

$$\mathbb{L} \underset{\text{rund}}{\supset} \begin{cases} \kappa \supset 0|\kappa \\ \bar{\kappa} \supset 0|\kappa \end{cases} \Rightarrow \bigvee_{\text{rund}} \mathbb{L} \supset \kappa \sharp \bar{\kappa} \supset \kappa|0|\kappa: \quad {}^{\kappa \cup \bar{\kappa} + \imath}\triangle_{\omega}\mathbb{C} \ni \gamma \overline{\overline{\kappa \cup \bar{\kappa} \cap \kappa\sharp\bar{\kappa} + \imath}}\, \gamma \in {}^{\kappa\sharp\bar{\kappa} + \imath}\triangle_{\omega}\mathbb{C}$$

$$E=\frac{t\in 0|1}{\bigvee\limits_{\text{rund}} \mathbb{I}\supset \bar{\lambda}^{t}\supset \lambda|0|\lambda t\colon\quad \bar{\lambda}\cup\bar{\tau}+\bar{\iota}_{\triangle_\omega}\mathbb{C}\ni \rceil\frac{}{\bar{\lambda}\cup\bar{\tau}\cap\bar{\lambda}^{t}+\bar{\iota}}\lceil\in \bar{\lambda}^{t}+\bar{\iota}_{\triangle_\omega}\mathbb{C}}\Rightarrow 0\in E\subsetneq 0|1$$

$$r=\underbrace{0|\lambda\cup 0|\lambda-\partial\overbrace{\bar{\lambda}\cup\bar{\tau}}}_{\bullet}>0$$

$$\tau\in\bar{E}\Rightarrow\bigvee_{s:t\in E}\tau-r<s<t\colon\quad t-s>1/2$$

$$\bigwedge_{\llcorner}^{sA}\bar{\lambda}\cup\bar{\tau}+\bar{\iota}_{\triangle_\omega}\mathbb{C}\ni\rceil\frac{}{\underbrace{\bar{\lambda}\cup\bar{\tau}+\bar{\iota}}\cap{}^{\llcorner}\mathbb{I}_{\lessdot r}}\rceil=\sum_{\nu}^{n^{\mathbb{N}}}z^{\underline{\aleph}}\llcorner_{\nu}^{\llcorner}\underline{\rceil\cup\rceil^{t}}\in{}^{\llcorner}\mathbb{I}_{\lessdot r}\triangle_\omega\mathbb{C}$$

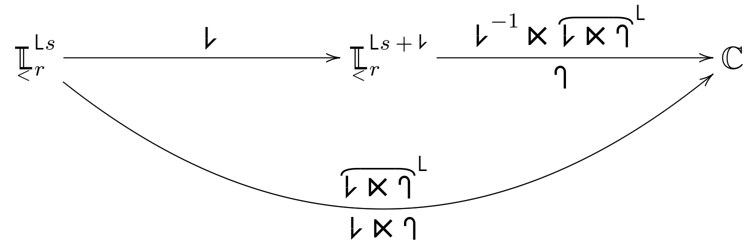
$$tA\subset\bar{\lambda}\cup\bar{\tau}\cup\bar{\lambda}^{t}\overset{\text{Boch}}{\underset{I}{\Longrightarrow}}\bigvee_{M>0}sA\subset\overbrace{0|\lambda\cup 0|\lambda t+\bar{\iota}_{<M}}^{\bar{\lambda}\cup\bar{\tau}\cup\bar{\lambda}^{t}+\bar{\iota}}\subset\overbrace{0|\lambda\cup 0|\lambda+\bar{\iota}_{<M}}^{\bar{\lambda}\cup\bar{\tau}\cup\bar{\lambda}^{t}+\bar{\iota}}$$

$$\underbrace{0|\lambda\cup 0|\lambda+\bar{\iota}_{<M}-\partial\underbrace{\bar{\lambda}\cup\bar{\tau}\cup\bar{\lambda}^{t}+\bar{\iota}}}_{\bullet}=\underbrace{0|\lambda\cup 0|\lambda+\bar{\iota}_{<M}-\overbrace{\partial\underbrace{\bar{\lambda}\cup\bar{\tau}\cup\bar{\lambda}^{t}}+\bar{\iota}}}_{\bullet}\geqslant$$

$$\underbrace{0|\lambda\cup 0|\lambda+i_{\sqcup}\mathbb{I}_{\sqcup}-\overbrace{\partial\underbrace{\bar{\lambda}\cup\bar{\tau}\cup\bar{\lambda}^{t}}+\bar{\iota}}}_{\bullet}\geqslant\underbrace{0|\lambda\cup 0|\lambda-\partial\underbrace{\bar{\lambda}\cup\bar{\tau}\cup\bar{\lambda}^{t}}}_{\bullet}\geqslant\underbrace{0|\lambda\cup 0|\lambda-\partial\overbrace{\bar{\lambda}\cup\bar{\tau}}}_{\bullet}=r$$

$$\rceil\cup\rceil^{t}\in\bar{\lambda}\cup\bar{\tau}\cup\bar{\lambda}^{t}+\bar{\iota}_{\triangle_\omega}\mathbb{C}\overset{\text{Car}}{\underset{\text{Thu}}{\Longrightarrow}}\sum_{\nu}^{n^{\mathbb{N}}}z^{\underline{\aleph}}\llcorner_{\nu}^{\llcorner}\underline{\rceil\cup\rceil^{t}}\overset{c}{\underset{\mathbb{I}^{\llcorner}_{\lessdot r}}{\Longrightarrow}}\rceil$$

$$\bigwedge_{\mathbb{L}=\mathsf{L}+\mathsf{r}}^{sA+\mathsf{T}} \mathsf{?} \in {}^{\mathsf{K}\cup\mathsf{F}+\mathsf{T}}{}_{\omega}\mathbb{C} \downharpoonleft {}^{\mathbb{L}}_{<r}{}_{\omega}\mathbb{C} \ni \overset{-1}{\mathsf{r}} \ltimes \overbrace{\mathsf{r}\ltimes\mathsf{?}}^{\mathsf{L}}$$



$$^{z}\overbrace{\mathsf{?}\underset{\mathsf{L}+\mathsf{r}}{\cup}\mathsf{?}^{t}} = {}^{z-\mathsf{r}}\overbrace{\underbrace{\mathsf{r}\ltimes\mathsf{?}}\underset{\mathsf{L}}{\cup}\underbrace{\mathsf{r}\ltimes\mathsf{?}^{t}}} \underset{\mathsf{L}\leq_{\mathbb{L}} r}{\backsim} \frac{(z-\mathsf{r}-\mathsf{L})^{\nu}}{\nu!}{}^{\mathsf{L}}_{\nu}\overbrace{\mathsf{r}\ltimes\mathsf{?}}\cup\overbrace{\mathsf{r}\ltimes\mathsf{?}^{t}} = \frac{(z-\mathsf{r}-\mathsf{L})^{\nu}}{\nu!}{}^{\mathsf{L}}_{\nu}\mathsf{r}\ltimes\overbrace{\mathsf{?}\cup\mathsf{?}^{t}}$$

$$= \frac{(z-\mathsf{L}-\mathsf{r})^{\nu}}{\nu!}{}^{\mathsf{L}+\mathsf{r}}_{\nu}\mathsf{?}\cup\mathsf{?}^{t} \Leftarrow {}^{z}_{\nu}\mathsf{r}\ltimes\mathsf{?} = {}^{z+\mathsf{r}}_{\nu\_}\mathsf{?} \Longrightarrow \begin{cases} \mathsf{?}\underset{\mathsf{L}+\mathsf{r}}{\cup}\mathsf{?}^{t} \in {}^{\mathsf{L}+\mathsf{r}\leq r}\mathbb{L}{}_{\omega}\mathbb{C} \\ \mathsf{?}\underset{\mathsf{L}+\mathsf{r}}{\cup}\mathsf{?}^{t} \overset{\mathsf{L}+\mathsf{r}\leq_{\mathbb{L}} r}{\underset{\mathsf{K}\cup\mathsf{F}\cup\mathsf{K}^{t}+\mathsf{T}}{=}} \mathsf{?}\cup\mathsf{?}^{t} \end{cases}$$

$$\bigwedge_{\mathsf{L}:\mathsf{t}}^{A}\bigwedge_{\mathsf{r}:\mathsf{t}}^{\mathsf{T}} \overset{-1}{\mathsf{r}}\ltimes\overbrace{\mathsf{r}\ltimes\mathsf{?}}^{\mathsf{L}} \overline{\overline{\underset{\mathbb{L}^{\mathsf{L}s+\mathsf{r}}_{<r}\cap\mathbb{L}^{\mathsf{t}s+\mathsf{t}}_{<r}}{\quad}}} \overset{-1}{\mathsf{t}}\ltimes\overbrace{\mathsf{t}\ltimes\mathsf{?}}^{\mathsf{t}}$$

$$\lambda\underbrace{\mathsf{L}s+\mathsf{r}}\lambda+(1-\lambda)\underbrace{\mathsf{t}s+\mathsf{t}} = \underbrace{\lambda\mathsf{L}+(1-\lambda)\mathsf{t}}s+\underbrace{\lambda\mathsf{r}+(1-\lambda)\mathsf{t}} \in As+\mathsf{T} \Longrightarrow \underbrace{\mathsf{L}s+\mathsf{r}}|\underbrace{\mathsf{t}s+\mathsf{t}} \subset As+\mathsf{T} \subset \mathsf{K}^{t}+\mathsf{T}$$

$$\mathbb{L}^{\mathsf{L}s+\mathsf{r}}_{<r}\cap\mathbb{L}^{\mathsf{t}s+\mathsf{t}}_{<r} \neq \varnothing \Longrightarrow \underbrace{\mathsf{L}s+\mathsf{r}}|\underbrace{\mathsf{t}s+\mathsf{t}} \subset \mathbb{L}^{\mathsf{L}s+\mathsf{r}}_{<r}\cap\mathbb{L}^{\mathsf{t}s+\mathsf{t}}_{<r}$$

$$\Longrightarrow \varnothing \neq \underbrace{\mathsf{L}s+\mathsf{r}}|\underbrace{\mathsf{t}s+\mathsf{t}} \subset \mathbb{L}^{\mathsf{L}s+\mathsf{r}}_{<r}\cap\mathbb{L}^{\mathsf{t}s+\mathsf{t}}_{<r}\cap\underbrace{\mathsf{K}^{t}+\mathsf{T}} \subsetneq \mathbb{L}^{\mathsf{L}s+\mathsf{r}}_{<r}\cap\mathbb{L}^{\mathsf{t}s+\mathsf{t}}_{<r} \text{ zush}$$

$$\overset{-1}{\mathsf{r}}\ltimes\overbrace{\mathsf{r}\ltimes\mathsf{?}}^{\mathsf{L}} \overline{\overline{\underset{\mathbb{L}^{\mathsf{L}s+\mathsf{r}}_{<r}\cap\mathbb{L}^{\mathsf{t}s+\mathsf{t}}_{<r}\cap\underbrace{\mathsf{K}^{t}+\mathsf{T}}}{\quad}}} \overset{-1}{\mathsf{t}}\ltimes\overbrace{\mathsf{t}\ltimes\mathsf{?}}^{\mathsf{t}} \underset{\text{iden}}{\Longrightarrow} \overset{-1}{\mathsf{r}}\ltimes\overbrace{\mathsf{r}\ltimes\mathsf{?}}^{\mathsf{L}} \overline{\overline{\underset{\mathbb{L}^{\mathsf{L}s+\mathsf{r}}_{<r}\cap\mathbb{L}^{\mathsf{t}s+\mathsf{t}}_{<r}}{\quad}}} \overset{-1}{\mathsf{t}}\ltimes\overbrace{\mathsf{t}\ltimes\mathsf{?}}^{\mathsf{t}}$$

$${}^{\mathsf{K}\cup\mathsf{F}+\mathsf{T}}{}_{\omega}\mathbb{C} \ni \mathsf{?} \overline{\overline{\underset{\underbrace{\mathsf{K}\cup\mathsf{F}}\cap\mathsf{I}^{As}_{<r}+\mathsf{T}}{\quad}}} \bigcup_{\mathsf{L}:\mathsf{r}}^{A:\mathsf{T}} \overset{-1}{\mathsf{r}}\ltimes\overbrace{\mathsf{r}\ltimes\mathsf{?}}^{\mathsf{L}} \in {}^{\mathsf{I}^{As}_{<r}+\mathsf{T}}{}_{\omega}\mathbb{C}$$

$$\mathbb{L} \supset {}^{sA\leq r}\mathbb{L}^{r} = \begin{cases} \mathsf{h} \in \mathbb{L} \\ \underbrace{\mathsf{h} - sA}_{\bullet} < r \end{cases} \quad \supset_{\tau - s < r} \tau A\colon {}^{sA\leq r}\mathbb{L}^{r} + \mathsf{T} \subset \bigcup_{\mathbb{L}}^{sA + \mathsf{T}} {}^{\mathbb{L}\leq r}\mathbb{L}^{r} \Rightarrow \tau \in E \Rightarrow E \subset 0_{\Rightarrow} | E = 0_{\text{zush}} |$$

$$\mathsf{L} = \mathsf{K} + \mathsf{T} = \mathsf{K} + \mathsf{K}i$$

$$\mathbb{h} \sim \mathbb{h} \Leftrightarrow \gamma \in {}^{\mathbb{h}}\triangle_{\omega}\mathbb{C} \xleftarrow{\asymp} {}^{\mathbb{h}}\triangle_{\omega}\mathbb{C} \ni \gamma\colon \quad {}^{\mathbb{h}}|\gamma = {}^{\mathbb{h}}|\gamma$$

$$\gamma \in {}^{\mathsf{h}}_{\mathsf{T}}\triangle_{\omega}\mathbb{C} \Rightarrow \begin{cases} {}^{z}_{\mathsf{l}}\gamma = {}^{z + \mathsf{l}}\gamma \\ {}_{\mathsf{l}}\gamma \in {}^{\mathsf{h}}_{\mathsf{T}}\triangle_{\omega}\mathbb{C} \end{cases}$$

$$\mathbb{C}\triangledown_{0}\overbrace{\mathsf{h}+\mathsf{T}\triangle_{\omega}\mathbb{C}} = {}^{\mathsf{h}+\mathsf{T}}\overset{\sharp}{\triangle}_{\omega}\mathbb{C} \xrightarrow[\asymp]{\overset{\sharp}{\varrho}} \hat{\mathsf{h}}+\mathsf{T}$$

$$\gamma \in {}^{\mathsf{h}}_{\mathsf{T}}\triangle_{\omega}\mathbb{C} \xleftarrow{\asymp} {}^{\hat{\mathsf{h}}}_{\mathsf{T}}\triangle_{\omega}\mathbb{C} \ni \hat{\gamma} = {}_{\hat{\mathsf{h}}}\gamma\colon \quad {}^{\mathsf{h}}_{\mathsf{T}}|\hat{\gamma} = {}^{\hat{\mathsf{h}}}_{\mathsf{T}}|\gamma$$

$$\underline{\mathsf{k}} = \overline{0|\mathsf{k}}$$

$$\underline{\mathsf{k}\mathsf{k}} = \text{co}\left(\underline{\mathsf{k}} \cup \underline{\mathsf{k}}\right)$$

$$\mathsf{L} \supset \mathsf{h}_{\text{zush}} \ni \dot{\mathsf{k}}$$

$$\mathsf{k} \sim \mathsf{k} \Leftrightarrow \bigvee_{\text{rund}} \mathsf{L} \supset \mathsf{k} \wr \mathsf{k} \supset \mathsf{k}|\mathsf{k}\colon \quad {}^{\mathsf{h} + \mathsf{T}}\triangle_{\omega}\mathbb{C} \ni \gamma \frac{\text{um}}{\mathsf{k} \cup \mathsf{k}} \gamma^{\mathsf{k}\mathsf{k}} \in {}^{\mathsf{k} \wr \mathsf{k} + \mathsf{T}}\triangle_{\omega}\mathbb{C}$$

$$\kappa \sim \kappa : \quad \kappa \sim \kappa' \Rightarrow \kappa' \sim \kappa : \quad \kappa \sim \kappa' \sim \kappa'' \Rightarrow \kappa \sim \kappa''$$

$$\kappa \sim \kappa \sim \kappa$$

$$\overset{\text{Boch}}{\underset{\text{II}}{\Rightarrow}} \bigvee_{\text{rund}} \supset \kappa \wr \kappa \supset \kappa|\kappa|\kappa : \quad \kappa \wr \kappa \cup \kappa \wr \kappa + \tau \, \mathbb{C} \ni \gamma \underbrace{\kappa \wr \kappa \cup \kappa \wr \kappa} \cap \kappa \wr \kappa + \tau \; \gamma \in \kappa \wr \kappa + \tau \, \mathbb{C}$$

$$\Rightarrow \gamma^{\kappa:\kappa} \overset{\text{um}}{\underset{\kappa \cup \kappa}{=\!=}} \gamma \overset{\text{um}}{\underset{\kappa \cup \kappa}{=\!=}} \gamma^{\kappa:\kappa} \underset{\text{iden}}{\Rightarrow} \gamma^{\kappa:\kappa} \overset{\text{zush}}{\underset{\kappa \wr \kappa \cap \kappa \wr \kappa + \tau}{=\!=}} \gamma^{\kappa:\kappa}$$

$$\overset{\text{um}}{\underset{\kappa}{=\!=}}$$

$$\Rightarrow \kappa \wr \kappa \cup \kappa \wr \kappa + \tau \, \mathbb{C} \ni \gamma^{\kappa:\kappa} \cup \gamma^{\kappa:\kappa} \underbrace{\kappa \wr \kappa \cup \kappa \wr \kappa} \cap \kappa \wr \kappa + \tau \; \gamma^{\kappa:\kappa} \cup \gamma^{\kappa:\kappa} \in \kappa \wr \kappa + \tau \, \mathbb{C}$$

$$\gamma \overset{\text{um}}{\underset{\kappa \cup \dot{\kappa}}{=\!=}} \gamma^{\kappa:\dot{\kappa}} \underset{\kappa \wr \dot{\kappa} + \tau}{=\!=} \gamma^{\kappa:\kappa} \cup \gamma^{\kappa:\kappa} \underbrace{\kappa \wr \kappa \cup \kappa \wr \kappa} \cap \kappa \wr \kappa + \tau \; \gamma^{\kappa:\kappa} \cup \gamma^{\kappa:\kappa}$$

$$\Rightarrow \gamma^{\kappa:\kappa} = \gamma^{\kappa:\kappa} \overset{a}{\underset{\text{um}}{=}} \gamma : \quad \gamma^{\kappa:\kappa} = \gamma^{\kappa:\kappa} \overset{\kappa''}{\underset{\text{um}}{=}} \gamma \Rightarrow \gamma^{\kappa:\kappa} \overset{\kappa \cap \kappa''}{\underset{\text{um}}{=}} \gamma \Rightarrow \kappa \sim \kappa''$$

$$\dot{\kappa} \in \hbar \Rightarrow \kappa \sim \kappa'$$

$$\underset{\sim}{\bar{\hbar}} := \frac{b \in \hbar}{\bigvee_{\text{polygon}} a|a_1 \cup \cdots \cup a_m|b \subset \hbar} \ni \kappa : c \in \hbar \cap \bar{\underset{\sim}{\hbar}} \Rightarrow \bigvee_{\hbar \subset U \ni c}^{\text{c-star}} \Rightarrow \bigvee b \in \underset{\sim}{\hbar} \cap U \Rightarrow \bigvee_{\text{polygon}} a|a_1 \cup \cdots \cup a_m|b \subset \hbar$$

$$\bigwedge_{\mathsf{h}}^{U} \overline{bc} \subset U \supset \overline{c\mathsf{h}} \Rightarrow \text{polygon } a|a_1 \cup \cdots \cup a_m|b \cup b|c \cup c|\mathsf{h} \subset \hbar \Rightarrow \mathsf{h} \in \underset{\sim}{\hbar} \Rightarrow U \subset \underset{\sim}{\hbar} \Rightarrow \underset{\sim}{\hbar} \overset{\text{abg}}{\subseteq} \hbar \Rightarrow \underset{\sim}{\hbar} = \hbar$$

$$\text{ʞ}|\text{ƭ} \cap \text{ʞ}'|\text{ƭ}' \neq \varnothing \Rightarrow \text{ʅ}_{\text{ʞ:ƭ}} \overset{\text{ħ}^{\text{ʞ:ƭ}} \cap \text{ħ}^{\text{ʞ}':\text{ƭ}'} + \text{ƫ}}{=} \text{ʅ}_{\text{ʞ}':\text{ƭ}'}$$

$$\text{ʞ} \sim \text{ʞ}' \Rightarrow \bigvee_{\text{eind}} \text{ʅ}^{\text{ʞ:ƭ}} \in {}^{\text{ʞ} \wr \text{ƭ}}_{\text{ƫ}} \triangle_{\omega} \mathbb{C}: \quad \text{ʅ}^{\text{ʞ:ƭ}} = \text{ʅ} \text{ um } \text{ʞ} \cap \text{ʞ}' \Rightarrow \text{ʅ}^{\text{ʞ:ƭ}} = \text{ʅ} = \text{ʅ}_{\dot{\text{ʞ}}:\dot{\text{ƭ}}} \text{ um } \dot{\text{ʞ}} = \text{ʞ}:\text{ʞ}'$$

$$\Rightarrow \text{ʅ}^{\text{ʞ:ƭ}} \curlyvee \text{ʅ}_{\dot{\text{ʞ}}:\dot{\text{ƭ}}} \in {}^{\text{ʞ} \wr \text{ƭ} \cup \dot{\text{ʞ}} \wr \dot{\text{ƭ}} + \text{ƫ}} \triangle_{\omega} \mathbb{C} \underset{\text{II}}{\overset{\text{Boch}}{\Rightarrow}} \bigvee_{\text{rund}} \text{Ⱡ} \supset \text{ʞ} \wr \text{ʞ}' \wr \dot{\text{ƭ}} \supset \text{ʞ}|\text{ʞ}'|\dot{\text{ƭ}}: \quad \text{ʅ}^{\text{ʞ:ʞ}':\dot{\text{ƭ}}} \in {}^{\text{ʞ} \wr \text{ʞ}' \wr \dot{\text{ƭ}} + \text{ƫ}} \triangle_{\omega} \mathbb{C}$$

$$\text{ʅ}_{\text{ʞ:ʞ}':\dot{\text{ƭ}}} = \text{ʅ}^{\text{ʞ:ƭ}} \curlyvee \text{ʅ}_{\dot{\text{ʞ}}:\dot{\text{ƭ}}} \text{ um } \text{ʞ}|\text{ƭ} \cap \dot{\text{ʞ}}|\dot{\text{ƭ}} \Rightarrow \text{ʅ}_{\text{ʞ:ʞ}':b} = \text{ʅ}^{\text{ʞ:ƭ}} = \text{ʅ}_{\text{ʞ:ʞ}':\text{ƭ}'} \text{ um } \text{ʞ}|\text{ƭ} \underset{\text{ID}}{\Rightarrow}$$

$$\text{ʅ}_{\text{ʞ:ʞ}':b} \underset{\overbrace{\text{ʞ:ʞ}':b} \cap \overbrace{\text{ʞ:ʞ}':\text{ƭ}'} + \text{ƫ}}{=} \text{ʅ}_{\text{ʞ:ʞ}':\text{ƭ}'} \Rightarrow \text{ʅ}_{\text{ʞ:ƭ}} \overset{\text{ʞ}|\text{ƭ} \cap \text{ʞ}'|\text{ƭ}'}{=} \text{ʅ}_{\text{ʞ:ʞ}':b} \overset{\text{ʞ}|\text{ƭ} \cap \text{ʞ}'|\text{ƭ}'}{=} \text{ʅ}_{\text{ʞ:ʞ}':\text{ƭ}'} \overset{\text{ʞ}|\text{ƭ} \cap \text{ʞ}'|\text{ƭ}'}{=} \text{ʅ}_{\text{ʞ}':\text{ƭ}'} \text{ um } \overline{\text{ʞƭ}} \cap \overline{\text{ʞ}'\text{ƭ}'} \neq \varnothing \underset{\text{ID}}{\Rightarrow} \text{ʅ}_{\text{ʞ:ƭ}} \underset{\overbrace{\text{ʞ:ƭ}} \cap \text{ʞ}' \wr \text{ƭ}' + \text{ƫ}}{=} \text{ʅ}_{\text{ʞ}':\text{ƭ}'}$$

$$\bigcup_{\text{ʞ:ƭ} \in \text{ħ}} \overbrace{\text{ʞ:ƭ}} + \text{ƫ} \xrightarrow[\text{hol}]{\bigcup_{\text{ʞ:ƭ} \in \text{ħ}} \text{ʅ}_{\text{ʞ:ƭ}}} \mathbb{C} \text{ mit } \bigcup_{\text{ʞ:ƭ} \in \text{ħ}} \text{ʅ}_{\text{ʞ:ƭ}} \underset{(\text{ħ}+\text{ƫ}) \cap \bigcup_{\text{ʞ:ƭ} \in \text{ħ}} \left(\overbrace{\text{ʞ:ƭ}} + \text{ƫ}\right)}{=} \text{ʅ}$$

$$\bigcup_{\text{ʞ:ƭ} \in \text{ħ}} \overbrace{\text{ʞ:ƭ}} + \text{ƫ} \supset \bigcup_{\text{ʞ:ƭ} \in \text{ħ}} \left(\overline{\text{ʞƭ}} + \text{ƫ}\right) = \text{ co } \text{ħ}+\text{ƫ} \Rightarrow \hat{\text{ʅ}} = \bigcup_{\text{ʞ:ƭ} \in \text{ħ}} \text{ʅ}_{\text{ʞ:ƭ}} | \text{ co } \text{ħ}+\text{ƫ} \in {}^{\text{co } \text{ħ}+\text{ƫ}} \triangle_{\omega} \mathbb{C}: \hat{\text{ʅ}} \underset{\text{ħ}+\text{ƫ}}{=} \text{ʅ}$$