$$x^0 : x^1 \in \Sigma \xrightarrow{\varphi} \mathbb{C}^N$$

$${}^{\Sigma}\underset{\infty}{\triangle}\mathbb{C}^N \ni \varphi$$

$${}^{\Sigma}\underset{\infty}{\blacktriangle}\mathbb{C}^N \subset {}^{\mathbb{R}_+}\underset{\infty}{\triangle}\mathbb{C}^N \times {}^{\mathbb{R}_-}\underset{\infty}{\triangle}\mathbb{C}^N \ni {}^{x^+}\varphi_+ + {}^{x^-}\varphi_- \text{ phase space}$$

$$\varphi_- \in {}^{\mathbb{R}_-}\underset{\infty}{\triangle}\mathbb{C}^N \xrightarrow[\text{lin obs}]{()^{\alpha}_{x^-}} \mathbb{C} \ni {}^{x^-}\varphi^{\alpha}_-$$

$$()^{\alpha}_{x^-} \divideontimes ()^{\beta}_{y^-} = {}^{\alpha}\delta_{\beta}\ \mathrm{sgn}\ (x^- - y^-)$$

$$\text{class } ()^{\alpha}_{p_-} = \int_{dx^-} e^{-ix^-p_-}\, ()^{\alpha}_{x^-}$$

$$()^{\alpha}_{x^-} = \int_{dp_-} e^{ix^-p_-}\, ()^{\alpha}_{p_-}$$

$$\text{quant } \overline{()^{\alpha}_{p_-}} \in \uplus\, \mathcal{H}^N$$

$$\overline{()^{\alpha}_{p_-}} = \int_{dx^-} e^{-ix^-p_-}\, \overline{()^{\alpha}_{x^-}}$$

$$\overline{()^{\alpha}_{x^-}} = \int_{dp_-} e^{ix^-p_-}\, \overline{()^{\alpha}_{p_-}}$$

$$p_+ = \int_{dx^-} \bar{()}^{\alpha}_{x^-}\, ()^{\alpha}_{x^-}$$

$$\overline{p_+} = \int_{dx^-} \overline{\overset{*}{()}^{\alpha}_{x^-}\, ()^{\alpha}_{x^-}} = \int_{dp_-} \underbrace{\overline{\overset{*}{()}^{\alpha}_{p_-}}\, \overline{()^{\alpha}_{p_-}}}_{\text{normal Ord}} \in \uplus\, \mathcal{H}^N$$

$$\overline{M^N_{p_-q_-}} = \frac{2}{N} \underbrace{\overline{\overset{*}{()}^{\alpha}_{p_-}}\, \overline{()^{\alpha}_{p_-}}} \in \uplus\, \mathcal{H}^N$$

$$\overline{p_+} = \int_{dp_-} \overline{M^N_{p_- q_-}} = \overline{\int_{dp_-} M^N_{p_- q_-}}$$

$$\overline{M^N_{p_- q_-}} \times \overline{M^N_{\acute{p}_- \acute{q}_-}} = \frac{2}{N} \frac{1}{i} M^N_{p_- q_-} \times M^N_{\acute{p}_- \acute{q}_-} = \frac{1/2}{i} M^N_{p_- q_-} \times M^N_{\acute{p}_- \acute{q}_-}$$