

$${}^x\gamma = 1|x \frac{a}{c} \Big| \frac{b}{d} = \frac{b+xd}{a+xc}$$

$${}^xK \stackrel{C_\gamma}{\underset{\asymp}{\leftarrow}} {}^xK$$

$$\frac{{}^\sharp\! \gamma_m \left(\frac{b+xd}{a+xc}\right)^m}{{}^\sharp\! \gamma_n \left(\frac{b+xd}{a+xc}\right)^n} = \frac{{}^\sharp\! \gamma_m (b+xd)^m (a+xc)^{-m}}{{}^\sharp\! \gamma_n (b+xd)^n (a+xc)^{-n}} = \frac{{}^\sharp\! \gamma_m (b+xd)^m (a+xc)^{N-m}}{{}^\sharp\! \gamma_n (b+xd)^n (a+xc)^{N-n}}$$