$$\beta = 1 - \alpha$$

$$\overset{z}{\overbrace{\lrcorner\, \urcorner}} = \int\limits_{\mathbb{B}}^{d\mu_w^0} {}_w\jmath^{\,z \,\rtimes\, s_w^\beta} \urcorner \, \overbrace{\Delta\left(z{:}w\right)/\Delta\left(w{:}w\right)}^{\nu\beta}$$

$$\overset{z}{\overbrace{\overline{w}\urcorner}} = {}^{(1-\beta)\, z \,+\, \beta w} \urcorner \, {}^{\nu\beta\,(z\,-\,w)\,\bar{w}}e$$

$$\text{fund fct } {}_w\mathfrak{b} = \overset{0}{\overbrace{\overline{w}\, K_0}} = \overset{0}{\overbrace{\overline{w}\, 1}} = {}^{-\nu\beta w\bar{w}}e$$

$$\beta = 1 \Longrightarrow \text{ Toeplitz } \overset{z}{\overbrace{\lrcorner\, \urcorner}} = \nu \int\limits_{\mathbb{C}}^{d^2 w/\pi} {}_w\jmath^{\,w} \urcorner \, {}^{\nu\,(z\,-\,w)\,\bar{w}}e = \nu \int\limits_{\mathbb{C}}^{d^2 w/\pi} {}^{-\nu w\bar{w}}e \; {}_w\jmath^{\,w} \urcorner \, {}^{\nu z\bar{w}}e$$

$$\beta = 2 \Longrightarrow \text{ Weyl } \overset{z}{\overbrace{\lrcorner\, \urcorner}} = \nu \int\limits_{\mathbb{C}}^{d^2 w/\pi} {}_w\jmath^{\,2w\,-\,z} \urcorner \, {}^{2\nu\,(z\,-\,w)\,\bar{w}}e$$