

$$\begin{array}{c}
{}^{1|0}\overline{\mathbb{C}} \begin{array}{c} \nabla \\ \infty \end{array} \mathbb{C} \\
\downarrow \begin{array}{c} \overline{() } \\ \text{cov / Geod}_\alpha / \text{Toeplitz / Weyl} \end{array} \\
{}^{1|0}\overline{\mathbb{C}} \begin{array}{c} \nabla \\ \infty \end{array} \mathbb{C} \\
\mathfrak{U} | \begin{array}{c} \nabla \\ \infty \end{array} \mathbb{C}
\end{array}$$

$$I \subset K \Rightarrow \prod_i^I \zeta_i \bar{\omega}_i \dot{\omega}_{K \perp I} \omega_K = \frac{K \perp I}{I} \dot{\omega}_K \omega_K \zeta_I$$

$$\text{LHS} = \frac{K \perp I}{I} \prod_i^I \zeta_i \bar{\omega}_i \dot{\omega}_{K \perp I} \omega_{K \perp I} \omega_I = \frac{K \perp I}{I} \dot{\omega}_{K \perp I} \omega_{K \perp I} \prod_i^I \zeta_i \bar{\omega}_i \omega_I = \frac{K \perp I}{I} \dot{\omega}_{K \perp I} \omega_{K \perp I} \omega_I^* \omega_I \zeta_I = \text{RHS}$$

$$\overbrace{\sum_{MN} J_M^N \zeta_M^* \zeta_N}^{\nu} = \cdots \frac{\overbrace{\sum_{MN} J_M^N \zeta_M^* \zeta_N}^{\nu}}{I} \frac{+}{J} \cdots$$

$$\overbrace{\sum_{MN} J_M^N \zeta_M^* \zeta_N}^{\nu} = \sum_K \frac{\supset I \cup J}{I} \frac{K \perp I}{J} \frac{K \perp J}{\Gamma_{\nu+|I|-p}} \frac{\nu+|I|}{\Gamma_{\nu+|K|-p}} \frac{\overbrace{\sum_{MN} J_M^N \zeta_M^* \zeta_N}^{\nu+|I|}}{\frac{1-z\dot{z}^* J_{K \perp I}^{K \perp J}}{|K|-|I|}}$$

$$I \cup J \subset K \Rightarrow \int_{d\omega} \dot{\omega}_{Q \perp K} \omega_{Q \perp K} \prod_i \zeta_i \bar{\omega}_i \dot{\omega}_{K \perp I} \omega_{K \perp J} \omega_J = \frac{K \perp J}{J} \int_{d\omega} \dot{\omega}_{Q \perp K} \omega_{Q \perp K} \prod_i \zeta_i \bar{\omega}_i \dot{\omega}_{K \perp I} \omega_K$$

$$= \frac{K \perp I}{I} \frac{K \perp J}{J} \int_{d\omega} \dot{\omega}_{Q \perp K} \omega_{Q \perp K} \dot{\omega}_K \omega_K \zeta_I = \frac{K \perp I}{I} \frac{K \perp J}{J} \int_{d\omega} \dot{\omega}_Q \omega_Q \zeta_I = \frac{K \perp I}{I} \frac{K \perp J}{J} \zeta_I$$

$$\Rightarrow \overbrace{\sum_{MN} J_M^N \dot{\omega}_M^* \omega_N}^{\nu} \sum_J \gamma^J \omega_J = \int_{dw/\pi^p} \int_{d\omega} \frac{\overbrace{\sum_{MN} J_M^N \dot{\omega}_M^* \omega_N}^{\nu+q-p-1}}{\Gamma_{\nu+q-p}} \frac{\Gamma_{\nu}}{\underbrace{1-z\dot{z}^* - \zeta\dot{\zeta}^*}_{\nu}} \sum_{MN} w J_M^N \dot{\omega}_M^* \omega_N \sum_J w \gamma^J \omega_J$$

$$= \int_{dw/\pi^p} \int_{d\omega} \sum_K \frac{\overbrace{\sum_{MN} J_M^N \dot{\omega}_M^* \omega_N}^{\nu+|K|-p-1}}{\Gamma_{\nu+|K|-p}} \dot{\omega}_{Q \perp K} \omega_{Q \perp K} \sum_I \frac{\Gamma_{\nu+|I|}}{\underbrace{1-z\dot{z}^*}_{\nu+|I|}} \prod_i \zeta_i \bar{\omega}_i \sum_{MN} w J_M^N \dot{\omega}_M^* \omega_N \sum_J w \gamma^J \omega_J$$

$$\begin{matrix} K = J \cup N \\ K = I \cup M \end{matrix} \supset I \cup J \int_{dw/\pi^p} \frac{\overbrace{\sum_{MN} J_M^N \dot{\omega}_M^* \omega_N}^{\nu+|K|-p-1}}{\Gamma_{\nu+|K|-p}} \frac{\Gamma_{\nu+|I|}}{\underbrace{1-z\dot{z}^*}_{\nu+|I|}} w J_{K \perp I}^{K \perp J} w \gamma^J \int_{d\omega} \dot{\omega}_{Q \perp K} \omega_{Q \perp K} \prod_i \zeta_i \bar{\omega}_i \dot{\omega}_{K \perp I} \omega_{K \perp J} \omega_J$$

$$= \sum_K \frac{\supset I \cup J}{I} \frac{K \perp I}{J} \zeta_I \int_{dw/\pi^p} \frac{\overbrace{\sum_{MN} J_M^N \dot{\omega}_M^* \omega_N}^{\nu+|K|-p-1}}{\Gamma_{\nu+|K|-p}} \frac{\Gamma_{\nu+|I|}}{\underbrace{1-z\dot{z}^*}_{\nu+|I|}} w J_{K \perp I}^{K \perp J} w \gamma^J$$

$$= \sum_K \frac{\supset I \cup J}{I} \frac{K \perp I}{J} \frac{\Gamma_{\nu+|I|-p}}{\Gamma_{\nu+|K|-p}} \zeta_I \int_{dw/\pi^p} \frac{\overbrace{\sum_{MN} J_M^N \dot{\omega}_M^* \omega_N}^{\nu+|I|-p-1}}{\Gamma_{\nu+|I|-p}} \frac{\Gamma_{\nu+|I|}}{\underbrace{1-z\dot{z}^*}_{\nu+|I|}} w J_{K \perp I}^{K \perp J} \frac{1-w\dot{w}^*}{|K|-|I|} w \gamma^J$$

$$\square = \underbrace{\frac{1-w\dot{w}^*}{|K|-|I|} J_{K \perp I}^{K \perp J} \gamma^J}_{\nu+|I|} \gamma^{\nu+|I|} = \frac{1-w\dot{w}^*}{|K|-|I|} J_{K \perp I}^{K \perp J} \gamma^J$$

$$\mathbb{J}_M^N \tilde{\omega}_M \omega_N \tau(z|\zeta) = \sum_I \frac{N-I}{I} \frac{\Gamma_{\nu+|I|-p}}{\Gamma_{\nu+|N|-p}} \mathbb{J}_{N-I}^N \tau^{\nu+|I|} \zeta_I$$