$$K \neg G$$

λ inf char

coh ind $A_{\mathfrak{q}}(\lambda) \sqsupset \not{K}_\tau$ lowest K-type

$G \underset{K}{\times} \not{K}_\tau$ hom VB

$$K \neg G \,{\triangle}_{\infty}\, \not{K}^{\lambda}_{\tau} \xleftarrow[\text{1-st order DO}]{\mathcal{D}^{\lambda}} K \neg G \,{\triangle}_{\infty}\, \not{K}^{\lambda}_{\tau}$$

$$K \neg G \,{\blacktriangle}_{\infty}\, \not{K}^{\lambda}_{\tau} = {}^{\mathcal{D}^{\lambda}}\blacktriangledown \underbrace{K \neg G \,{\triangle}_{\infty}\, \not{K}^{\lambda}_{\tau}}$$

$$P \neg G \,{\triangle}_{\infty}\, \not{K}^{\lambda}_{\tau} \longleftarrow K \neg G \,{\blacktriangle}_{\infty}\, \not{K}^{\lambda}_{\tau} \longleftarrow A_{\mathfrak{q}}(\lambda)$$

abel $T \sqsubset K \sqsubset G$

$$L = {}^{T}\blacktriangle G$$

Levi $Q^{\mathbb{C}} = L^{\mathbb{C}} N^{\mathbb{C}} \sqsubset G^{\mathbb{C}}$

$$\mathfrak{a} \underset{\text{abel}}{\overset{\max}{\sqsubset}} \underline{L} \cap \mathfrak{p}$$

$$P = MAN$$

$$K \neg G \,{\triangle}_{\infty}\, \not{K}^{\lambda}_{\tau} \longleftarrow \mathrm{Ind}_P^G \left(\sigma \boxtimes \varrho_L \boxtimes 1\right)$$

$$\cup \qquad\qquad\qquad\qquad \cup$$

$$K \neg G \,{\blacktriangle}_{\infty}\, \not{K}^{\lambda}_{\tau} \longleftarrow A_{\mathfrak{q}}(\lambda)$$