

$$y: \xi \in iX \times \overset{\#}{X} \rightarrow \mathbb{C} \ni y e_{\xi} = e^{y|\xi}$$

$${}^{iX}\gamma_{\xi} = \int_{dy/2\pi i} {}^y\gamma y e_{\xi}^{-} = \gamma \underset{iX}{\times} e_{\xi}^{-}$$

$${}^y\mathcal{L}_{\overset{\#}{X}} = y e_{\xi} \mathcal{L}_{\xi} \int_{d\xi}^{\overset{\#}{X}} = y e \underset{\overset{\#}{X}}{\times} \mathcal{L}$$