$$\begin{cases} \mathbb{R}^n \xrightarrow{ɿ} \mathbb{R} \\ {}^{v}ɿ = \log(1 + v|v) \end{cases} \Rightarrow \begin{cases} \text{stet} \\ ɿ\big|_{B_1(0)} = \sum_n^{\mathbb{N}} p_n \text{ konv } / p_n \text{ hom poly} \end{cases}$$

$${}^{v}ɿ = \ulcorner v \urcorner^2 = v|v \text{ Taylor-Reihe um } \bar{v}$$

$${}^{x:y}ɿ = \frac{1}{1-x-y} = \begin{cases} \sum_n^{\mathbb{N}} {}^{x:y}p_n \text{ n-hom poly} \\ \sum_{m:n}^{\mathbb{N}^2} c_{m:n} x^m y^n \end{cases} \qquad \text{Taylor-Reihe um } 0$$

$$\text{Tay Pol/tot Grad } \leqslant 2\text{:} \quad \frac{x-y}{x+y}\text{:} \quad \text{um1:1:} \quad e^x \sin y \text{ um } 0\text{:}\frac{\pi}{2}$$

$$\frac{v \in \mathbb{R}^d}{\ulcorner v \urcorner < 1} \ni v \underset{\text{stet}}{\mapsto} \frac{1}{1 - v|v} = \sum_n^{\mathbb{N}} {}^{v}p_n \text{ cpt konv } / p_n \text{ hom poly}$$