$$0\text{-star } U \subseteq \mathbb{C}$$

$$\text{ᑫ} = dx\, {}^{x:y}_{\quad 1}\text{ᑫ} + dy\, {}^{x:y}_{\quad 2}\text{ᑫ} \in \Lambda^1(U)$$

$$d\text{ᑫ} = 0 \Longrightarrow \bigvee \text{ʅ}: \quad d\text{ʅ} = \text{ᑫ}$$

$$_1\partial\, _2\text{ʅ} = {}_2\partial\, _1\text{ʅ}$$

$$^{x:y}\text{ʅ} = \int_{dt}^{0|1} \begin{bmatrix} x & y \end{bmatrix} \begin{bmatrix} {}^{tx:ty}_{\quad\ 1}\text{ʅ} \\ {}^{tx:ty}_{\quad\ 2}\text{ʅ} \end{bmatrix} = \int_{dt}^{0|1} x\, {}^{tx:ty}_{\quad\ 1}\text{ʅ} + y\, {}^{tx:ty}_{\quad\ 2}\text{ʅ}$$

$$_1\partial\,\text{ʅ} = {}_1\text{ʅ} : {}_2\partial\,\text{ʅ} = {}_2\text{ʅ}$$

$$^{x:y}\overbrace{_1\partial\text{ʅ}} = \int_{dt}^{0|1} {}^{tx:ty}_{\quad\ 1}\text{ʅ} + tx\, {}^{tx:ty}\overbrace{_1\partial_1\text{ʅ}} + ty\, {}^{tx:ty}\overbrace{_1\partial_2\text{ʅ}}$$

$$= \int_{dt}^{0|1} {}^{tx:ty}_{\quad\ 1}\text{ʅ} + tx\, {}^{tx:ty}\overbrace{_1\partial_1\text{ʅ}} + ty\, {}^{tx:ty}\overbrace{_2\partial_1\text{ʅ}}$$

$$= \int_{dt}^{0|1} {}^{tx:ty}_{\quad\ 1}\text{ʅ} + t\frac{d}{dt}\, {}^{tx:ty}_{\quad\ 1}\text{ʅ} = \int_{dt}^{0|1} \frac{d}{dt} \underbrace{t\, {}^{tx:ty}_{\quad\ 1}\text{ʅ}} = \underbrace{t\, {}^{tx:ty}_{\quad\ 1}\text{ʅ}}\Big|_0^1 = {}^{x:y}_{\quad 1}\text{ʅ}$$

$$d\text{ʅ} = \text{ᑫ} \Longrightarrow \text{ʅ}\infty \text{ diff}$$