$$\begin{array}{c|c} a & b \\ \hline 0 & 1 \end{array}\;\begin{array}{c|c} \acute a & \acute b \\ \hline 0 & 1 \end{array} = \begin{array}{c|c} a\acute a & b + a\acute b \\ \hline 0 & 1 \end{array}$$

$$\begin{array}{c|c} a & b \\ \hline 0 & 1 \end{array}^{-1} = a^{-1}\begin{array}{c|c} 1 & -b \\ \hline 0 & a \end{array} = \begin{array}{c|c} a^{-1} & -a^{-1}b \\ \hline 0 & 1 \end{array}$$

$$\int^{da} a^{-1} \int^{db} f\left(\begin{array}{c|c} a & b \\ \hline 0 & 1 \end{array}\right) \text{ rechts-inv}$$

$$\int^{d\acute a} \acute a^{\varrho} \int^{d\acute b} f\left(\begin{array}{c|c} \acute a & \acute b \\ \hline 0 & 1 \end{array}\right) = \int^{da} a^{\varrho} \int^{db} f\left(\begin{array}{c|c} a & b \\ \hline 0 & 1 \end{array}\;\begin{array}{c|c} \alpha & \beta \\ \hline 0 & 1 \end{array}\right) = \int^{da} a^{\varrho} \int^{db} f\left(\begin{array}{c|c} a\alpha & b + a\beta \\ \hline 0 & 1 \end{array}\right)$$

$$\underset{\acute b = b + a\beta}{\overset{d\acute b\, =\, db}{\equiv}} \int^{da} a^{\varrho} \int^{d\acute b} f\left(\begin{array}{c|c} a\alpha & \acute b \\ \hline 0 & 1 \end{array}\right) \underset{\acute a = a\alpha}{\overset{d\acute a\, =\, \alpha da}{\equiv}} \int^{d\acute a/\alpha} (\acute a/\alpha)^{\varrho} \int^{d\acute b} f\left(\begin{array}{c|c} \acute a & \acute b \\ \hline 0 & 1 \end{array}\right) = \alpha^{-1-\varrho} \int^{d\acute a} \acute a^{\varrho} \int^{d\acute b} f\left(\begin{array}{c|c} \acute a & \acute b \\ \hline 0 & 1 \end{array}\right) \Leftrightarrow \varrho = -1$$

$$\int^{da} a^{-2} \int^{db} f\left(\begin{array}{c|c} a & b \\ \hline 0 & 1 \end{array}\right) \text{ links-inv}$$

$$\int^{d\acute a} \acute a^{\lambda} \int^{d\acute b} f\left(\begin{array}{c|c} \acute a & \acute b \\ \hline 0 & 1 \end{array}\right) = \int^{da} a^{\lambda} \int^{db} f\left(\begin{array}{c|c} \alpha & \beta \\ \hline 0 & 1 \end{array}\;\begin{array}{c|c} a & b \\ \hline 0 & 1 \end{array}\right) = \int^{da} a^{\lambda} \int^{db} f\left(\begin{array}{c|c} \alpha a & \beta + \alpha b \\ \hline 0 & 1 \end{array}\right) =$$

$$\underset{\acute b = \beta + \alpha b}{\overset{d\acute b\, =\, \alpha db}{\equiv}} \int^{da} a^{\lambda} \int^{d\acute b/\alpha} f\left(\begin{array}{c|c} \alpha a & \acute b \\ \hline 0 & 1 \end{array}\right) \underset{\acute a = \alpha a}{\overset{d\acute a\, =\, \alpha da}{\equiv}} \int^{d\acute a/\alpha} (\acute a/\alpha)^{\lambda} \int^{d\acute b/\alpha} f\left(\begin{array}{c|c} \acute a & \acute b \\ \hline 0 & 1 \end{array}\right) = \alpha^{-2-\lambda} \int^{d\acute a} \acute a^{\lambda} \int^{d\acute b} f\left(\begin{array}{c|c} \acute a & \acute b \\ \hline 0 & 1 \end{array}\right) \Leftrightarrow \lambda = -2$$