$$\mathbb{R} \underset{B}{\overset{\nu}{\bullet}} \mathbb{R} = \overbrace{\mathbb{R} \underset{B}{\overset{\nu}{\bullet}} \mathbb{C}} \, \overbrace{\mathbb{C} \underset{B}{\overset{\nu}{\bullet}} \mathbb{R}}$$

$${}^{x}\!\left(\mathbb{R} \underset{B}{\overset{\nu}{\bullet}} \mathbb{R}\right)_{y} = \left(\frac{{}^{y}\Delta_{y}^{1/2\,x}\Delta_{x}^{1/2}}{{}^{x}\Delta_{y}}\right)^{\nu}$$

$${}^{x}\overbrace{\underbrace{\mathbb{R} \underset{B}{\overset{\nu}{\bullet}} \mathbb{R}}\,\text{ɿ}} = {}^{x}\Delta_{x}^{\nu/2}\,{}^{x}\overbrace{\underbrace{\mathbb{C} \underset{B}{\overset{\nu}{\bullet}} \mathbb{R}}\,\text{ɿ}} = {}^{x}\Delta_{x}^{\nu/2} \int_{dy}^{B_{\mathbb{R}}} {}^{x}\Delta_{y}^{-\nu}\,{}^{y}\Delta_{y}^{\nu/2 - d/r}\,{}^{y}\text{ɿ}$$

$$= \int_{dy}^{B_{\mathbb{R}}} {}^{x}\Delta_{y}^{-\nu}\,{}^{y}\Delta_{y}^{\nu/2 - d/r}\,{}^{x}\Delta_{x}^{\nu/2}\,{}^{y}\text{ɿ} = \int_{dy}^{B_{\mathbb{R}}} {}^{y}\Delta_{y}^{-d/r} \left(\frac{{}^{y}\Delta_{y}^{1/2\,x}\Delta_{x}^{1/2}}{{}^{x}\Delta_{y}}\right)^{\nu}\,{}^{y}\text{ɿ}$$

$${}^{0}\overbrace{\underbrace{\mathbb{R} \underset{B}{\overset{\nu}{\bullet}} \mathbb{R}}\,\text{ɿ}} = \int_{dy}^{B_{\mathbb{R}}} {}^{y}\Delta_{y}^{\nu/2 - d/r}\,{}^{y}\text{ɿ}$$

$${}^{0}\overbrace{\underbrace{\mathbb{R} \underset{B}{\overset{\nu}{\bullet}} \mathbb{R}}\,X_{e}^{\varkappa}} = \int_{dy}^{B_{\mathbb{R}}} {}^{y}\Delta_{y}^{\nu/2 - d/r}\,{}^{y}X_{e}^{\varkappa}$$

$$\underbrace{e + x}\,\overbrace{e - x}^{-1} = e - \underbrace{e + x}\,\overbrace{e - x}^{-1}$$

$${}^{x}B_{\mathbb{R}}^{\lambda} = {}^{\underbrace{e + x}\overbrace{e - x}^{-1}}X_{e}^{\varrho + \lambda i}$$

$${}^{x}B_{\mathbb{R}}^{\varrho i} = {}^{\underbrace{e + x}\overbrace{e - x}^{-1}}X_{e}^{\varrho + \varrho i i} = {}^{\underbrace{e + x}\overbrace{e - x}^{-1}}X_{e}^{0} = 1$$

$${}^{x}\Delta_{x}^{-\nu/2}\,{}^{x}B_{\mathbb{R}}^{\lambda} = {}^{e - x^{2}}\Delta^{-\nu/2}\,{}^{x}B_{\mathbb{R}}^{\lambda} = \sum_{\varkappa} {}_{\nu}p_{\varkappa}^{\lambda}\,{}^{x}X_{e}^{\varkappa}$$