$$\mathbb{K}\underset{\infty}{\triangledown}\hbar^{p|q} = \in|\,\hbar^{p|q}\underset{\infty}{\triangle}\mathbb{K} = \frac{\hbar^{p|q}\underset{\infty}{\triangle}\mathbb{K} \xleftarrow[\operatorname{lin}\mathbb{K}]{\;b\;} \hbar^{p|q}\underset{\infty}{\triangle}\mathbb{K}}{b\,\underbrace{\eta\acute{\eta}} = \underbrace{b\eta}\acute{\eta} + -1^{|b||\eta|}\eta\underbrace{b\acute{\eta}}}$$

$$\hbar^{p|q}\underset{\infty}{\triangle}\mathbb{K} \bmod \underbrace{\eta b}\eta := \eta\underbrace{b\eta}$$

$$\begin{array}{ccc}
\mathbb{K}\underset{\infty}{\triangledown}\hbar^{p|q} & \ni & b = b\nu^{i}\dfrac{\partial}{\partial\nu^{i}} + b\eta^{k}\dfrac{\partial}{\partial\eta^{k}} \\
\Big\downarrow \nu^{\cdot}|\eta^{\cdot} & & \Big\downarrow \\
\overbrace{\hbar^{p|q}\underset{\infty}{\triangle}\mathbb{K}}^{p:q} & \ni & b\nu^{i}|b\eta^{k}
\end{array}$$

$$\underbrace{\hbar^{p|q}\underset{\infty}{\triangle}\mathbb{K}}\blacktriangleleft\overbrace{\hbar^{p|q}\underset{\infty}{\triangle}\mathbb{K}} = \mathbb{K}\underset{\infty}{\triangledown}\hbar^{p|q} = \hbar^{p|q}\underset{\infty}{\triangle}\mathbb{K} < \frac{\partial}{\partial\nu^{i}} : \frac{\partial}{\partial\eta^{k}} >$$

$$\mathbb{b}\, {}^{o}_{\bullet}\mathcal{J}^{k+1} \subset {}^{o}_{\bullet}\mathcal{J}^{k}$$

$$\text{Ind } 0 \leqslant k$$

$$k = 0 \text{ klar}$$

$$0 \leqslant k \curvearrowright j+1$$

$${}^{o}_{\bullet}\mathcal{J}^{k+2} \ni \mathbb{l} = \mathbb{l}_{\alpha}\, \mathbb{l}^{\alpha} : \mathbb{l}_{\alpha} \in {}^{o}_{\bullet}\mathcal{J}^{k+1} : \mathbb{l}^{\alpha} \in {}^{o}_{\bullet}\mathcal{J}$$

$$\Longrightarrow \mathbb{b}\mathbb{l} = \underbrace{\mathbb{b}\mathbb{l}_{\alpha}}_{\in {}^{o}_{\bullet}\mathcal{J}^{k}} \underbrace{\mathbb{l}^{\alpha}}_{\in {}^{o}_{\bullet}\mathcal{J}} + \overset{|\mathbb{b}||\mathbb{l}_{\alpha}|}{-1} \underbrace{\mathbb{l}_{\alpha}}_{\in {}^{o}_{\bullet}\mathcal{J}^{k+1}} \underbrace{\mathbb{b}\mathbb{l}^{\alpha}} \in {}^{o}_{\bullet}\mathcal{J}^{k+1}$$

$$\mathbb{b} = \sum_{i} \mathbb{b}\, \mathbb{v}^{i} \frac{\partial}{\partial \mathbb{v}^{i}} + \sum_{k} \mathbb{b}\, \mathbb{h}^{k} \frac{\partial}{\partial \mathbb{h}^{k}}$$

$$\not{\mathbb{b}} := \mathbb{b} - \sum_{i} \mathbb{b}\, \mathbb{v}^{i} \frac{\partial}{\partial \mathbb{v}^{i}} - \sum_{k} \mathbb{b}\, \mathbb{h}^{k} \frac{\partial}{\partial \mathbb{h}^{k}} \in \underbrace{\mathsf{h}^{p|q}_{\triangle_{\infty}}\mathbb{K}} \blacktriangleleft \overbrace{\mathsf{h}^{p|q}_{\triangle_{\infty}}\mathbb{K}}$$

$$\not{\mathbb{b}}\, \mathbb{v}^{i} = 0 = \not{\mathbb{b}}\, \mathbb{h}^{k} \Longrightarrow \not{\mathbb{b}}\, \mathbb{h}^{M} \overbrace{\mathbb{v}^{\cdot} - {}^{o}_{\bullet}\mathbb{v}^{\cdot}}^{\mu} = 0$$

$$\mathbb{l} = \underbrace{\mathbb{h}^{I} \sum_{|\mu| \leqslant n+1} \overbrace{\mathbb{v}^{\cdot} - {}^{o}_{\bullet}\mathbb{v}^{\cdot}}^{\not\mu}\, {}^{o}_{\bullet}\overbrace{{}_{\mu-I}\mathbb{l}}\tilde{\mathbb{l}} + \sum_{|\mu| = n+2} \overbrace{\mathbb{v}^{\cdot} - {}^{o}_{\bullet}\mathbb{v}^{\cdot}}^{\not\mu}{}_{I}\tilde{\mathbb{l}}_{\mu}}$$

$$\mathbb{h}^{I} \sum_{|\mu| = n+2} \overbrace{\mathbb{v}^{\cdot} - {}^{o}_{\bullet}\mathbb{v}^{\cdot}}^{\not\mu}{}_{I}\tilde{\mathbb{l}}_{\mu} \in {}^{o}_{\bullet}\mathcal{J}^{n+2}$$

$$\Longrightarrow \not{\mathbb{b}}\mathbb{l} = \not{\mathbb{b}}\, \underbrace{\mathbb{h}^{I} \sum_{|\mu| \leqslant n+1} \overbrace{\mathbb{v}^{\cdot} - {}^{o}_{\bullet}\mathbb{v}^{\cdot}}^{\not\mu}\, {}^{o}_{\bullet}\overbrace{{}_{\mu-I}\mathbb{l}}\tilde{\mathbb{l}}}_{=0} + \not{\mathbb{b}}\, \underbrace{\mathbb{h}^{I} \sum_{|\mu| = n+2} \overbrace{\mathbb{v}^{\cdot} - {}^{o}_{\bullet}\mathbb{v}^{\cdot}}^{\not\mu}{}_{I}\tilde{\mathbb{l}}_{\mu}}_{=0} = 0$$