

$\mathbb{G}_{1..r}^{\mathbb{C}}(Z) \supset \mathbb{G}_{1..r}^{\mathbb{R}}(Z)$ Furstenberg

unique closed G-orbit=K-orbit

$$\mathbb{G}_{1..r}^{\mathbb{R}}(Z) = \frac{B_1 \subset \dots \subset B_r}{u_1 < \dots < u_r}$$

$$\bullet \perp \{\alpha_1 \dots \alpha_r\} = \bullet \perp \bullet = \circ$$

\mathfrak{a}_0

$$K^{1..r} = K^1 \ddot{\cap} K^r$$

$$G^{1..r} = G^1 \ddot{\cap} G^r$$

$$K_{1..r} = K^{1..r} \cap K \xrightarrow[\simeq]{} G^{1..r} \cap G = \mathbb{G}_{1..r}^{\mathbb{R}}(Z)$$