$$\widetilde{\mathbb{C}}^z_R \subset \hbar$$

$$\text{ʔ} \in {}^{\hbar}\text{◺}_{\infty}\mathbb{C} \Rightarrow {}^z\text{ʔ} = \int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_R} \frac{{}^w\text{ʔ}}{w-z} - \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_R} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z}$$

$${}^z\text{ʔ} - \int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_R} \frac{{}^w\text{ʔ}}{w-z} + \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_R} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z} = 0$$

$$0 < \varrho < R \Rightarrow \widetilde{\mathbb{C}}^z_\varrho \subset \underset{\sim}{\mathbb{C}}^z_R$$

$$0 < r \leqslant \varrho \Rightarrow \int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_R} \frac{{}^w\text{ʔ}}{w-z} - \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_R} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z} = \int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_r} \frac{{}^w\text{ʔ}}{w-z} - \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_r} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z}$$

$$\int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_R} \frac{{}^w\text{ʔ}}{w-z} - \int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_r} \frac{{}^w\text{ʔ}}{w-z} = \int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_{r:R}} \frac{{}^w\text{ʔ}}{w-z} \underset{\text{STO}}{=} \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_{r:R}} \bar{\partial}_w \frac{{}^w\text{ʔ}}{w-z} = \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_{r:R}} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z} = \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_R} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z} - \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_r} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z}$$

$$\int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_R} \frac{{}^w\text{ʔ}}{w-z} - \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_R} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z} - {}^z\text{ʔ} = \int_{dw/2\pi i}^{\widetilde{\mathbb{C}}^z_r} \frac{{}^w\text{ʔ}}{w-z} - {}^z\text{ʔ} - \int_{d^2w/\pi}^{\underset{\sim}{\mathbb{C}}^z_r} \frac{\bar{\partial}_w {}^w\text{ʔ}}{w-z}$$

$$= \int_{dt/2\pi}^{0|2\pi} r\,e^{it} \frac{{}^{z+re^{it}}\text{ʔ}}{re^{it}} - {}^z\text{ʔ} - \int_{dt/\pi}^{0|2\pi}\int_{d\varrho}^{0|r} \varrho \frac{\bar{\partial}_w {}^{z+\varrho e^{it}}\text{ʔ}}{\varrho e^{it}} = \int_{dt/2\pi}^{0|2\pi} \underbrace{{}^{z+re^{it}}\text{ʔ} - {}^z\text{ʔ}} - \int_{dt/\pi}^{0|2\pi}\int_{d\varrho}^{0|r} e^{-it}\,\bar{\partial}_w\, {}^{z+\varrho e^{it}}\text{ʔ}$$

$$\underset{\sim}{\mathbb{C}}^z_R \xrightarrow[\text{stet}]{\underline{\text{ʔ}}} \genfrac{}{}{0pt}{}{\mathbb{C}}{\mathbb{R}\text{◺}\mathbb{C}} \underset{\text{MWS}}{\Rightarrow} {}^{\widetilde{\mathbb{C}}^z_\varrho}\overline{\underline{\text{ʔ}}}^{\bullet} < +\infty \Rightarrow \overline{{}^{z+re^{it}}\text{ʔ} - {}^z\text{ʔ}} \leqslant \overline{\underbrace{z+re^{it}} - z}\;{}^{z|z+re^{it}}\overline{\underline{\text{ʔ}}}^{\bullet} \leqslant r\,{}^{\widetilde{\mathbb{C}}^z_\varrho}\overline{\underline{\text{ʔ}}}^{\bullet}$$

$$\Rightarrow \overline{\int_{dt/2\pi}^{0|2\pi} \underbrace{{}^{z+re^{it}}\text{ʔ} - {}^z\text{ʔ}}} \leqslant \int_{dt/2\pi}^{0|2\pi} \overline{{}^{z+re^{it}}\text{ʔ} - {}^z\text{ʔ}} \leqslant r\,{}^{\widetilde{\mathbb{C}}^z_\varrho}\overline{\underline{\text{ʔ}}}^{\bullet} \rightsquigarrow 0$$

$$\bar{\partial}_w \text{ʔ}\ \text{stet} \Rightarrow {}^{\widetilde{\mathbb{C}}^z_\varrho}\overline{\bar{\partial}_w \text{ʔ}}^{\bullet} < +\infty \Rightarrow \overline{\int_{dt/\pi}^{0|2\pi}\int_{d\varrho}^{0|r} e^{-it}\bar{\partial}_w\, {}^{z+\varrho e^{it}}\text{ʔ}} \leqslant \int_{dt/\pi}^{0|2\pi}\int_{d\varrho}^{0|r} \overline{e^{-it}\bar{\partial}_w\, {}^{z+\varrho e^{it}}\text{ʔ}} \leqslant 2r\, {}^{\underset{\sim}{\mathbb{C}}^z_r}\overline{\bar{\partial}_w \text{ʔ}}^{\bullet} \leqslant 2r\, {}^{\widetilde{\mathbb{C}}^z_\varrho}\overline{\bar{\partial}_w \text{ʔ}}^{\bullet} \rightsquigarrow 0$$