$$\mathbb{C}\,\triangleleft^{2}\,\mathbb{N} \ni \varphi_n$$

$$\xrightarrow{\ \underline{z^n}\ }$$

$$\sum_{n}^{\mathbb{N}} \underline{z^n}\,\varphi_n \in \overset{\mathbb{C}}{\triangledown}\,{\triangle}^{2}_{\omega}\,\mathbb{C}$$

$$\underline{z^n} = z^n\,(n+)^{\,1/2}$$

$$\int_{dz/\pi}^{\overset{\mathbb{C}}{\triangledown}} \overset{*}{z}^{m}\; z^n = {}_m\delta^n\,\frac{1}{n+}$$

$$\nu = 2\colon\quad \int_{dz/\pi}^{\overset{\mathbb{C}}{\triangledown}} \overset{*}{z}^{m}\; z^n = \int_{2rdr}^{\overset{\mathbb{R}}{>}} \int_{dt/2\pi}^{0|2\pi} \left(r^{\overset{*}{it}}\mathfrak{e}\right)^m \left(r^{it}\mathfrak{e}\right)^n = \int_{2rdr}^{\overset{\mathbb{R}}{>}} \int_{dt/2\pi}^{0|2\pi} r^{m+n\ it\,(n-m)}e = \int_{2rdr}^{\overset{\mathbb{R}}{>}} r^{m+n} \underbrace{\int_{dt/2\pi}^{0|2\pi} {}^{it\,(n-m)}e}_{=\,{}_m\delta^n}$$

$$= {}_m\delta^n \int_{2rdr}^{\overset{\mathbb{R}}{>}} r^{2n} = {}_m\delta^n \int_{d\varrho}^{\overset{\mathbb{R}}{>}} \varrho^n = {}_m\delta^n \left[\frac{\varrho^{n+}}{n+}\right]_{\varrho=0}^{\varrho=1} = {}_m\delta^n\,\frac{1}{n+}$$