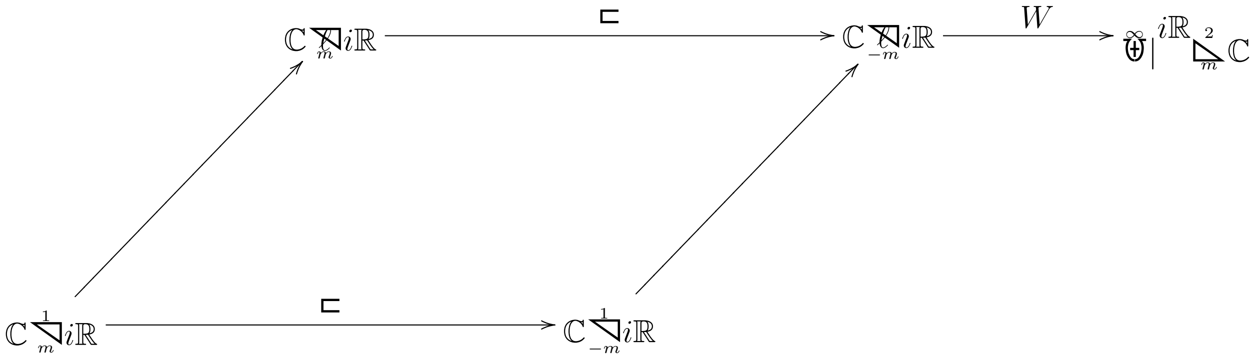

$$\int_{u \overset{1}{\times} \acute{u}}^{i\mathbb{R}} \urcorner = \int_{u\,(ds)}^{i\mathbb{R}} \int_{\acute{u}\,(dt)}^{i\mathbb{R}} {}^{s+t}\urcorner$$

$$\mathbb{C}\triangleleft^{1}_{-m} i\mathbb{R} : \overset{1}{\times} \in \mathbb{C}\triangleright^{1}_{0}$$

$$\mathbb{C}\boxtimes_{-m} i\mathbb{R} = W^* \frac{u\overset{1}{\times}}{u \in \mathbb{C}\triangleleft^{1}_{-m} i\mathbb{R}}$$

$$\mathbb{C}\triangleleft^{1}_{m} i\mathbb{R} = \frac{{}^{s}u\,ds}{u \in {}^{i\mathbb{R}}\triangle^{1}_{m}\mathbb{C}} \sqsupset \mathbb{C}\triangleleft^{1}_{-m} i\mathbb{R}$$

$${}^{s}\overbrace{u\overset{1}{\times}\acute{u}} = \int_{dt}^{i\mathbb{R}} {}^{s-t}u\,{}^{t}\acute{u}$$

$$\mathbb{C}\boxtimes_{m} i\mathbb{R} = C^* \frac{\ell_u = u\overset{1}{\times}}{u \in {}^{i\mathbb{R}}\triangle^{1}_{m}\mathbb{C}}$$

$${}^{i\mathbb{R}}\triangle^{2}_{m}\mathbb{C} \xleftarrow{\ell_u} {}^{i\mathbb{R}}\triangle^{2}_{m}\mathbb{C}$$

$${}^{t}\overbrace{\ell_u h} = \int_{ds}^{i\mathbb{R}} {}^{t-s}u\,{}^{s}h$$