$$3\frac{{}_{n}^{\sharp}\Delta}{(2\pi)^{12}} = \frac{65}{252}\begin{bmatrix}11\\n\end{bmatrix} + \frac{691}{252}\begin{bmatrix}5\\n\end{bmatrix} - 691\sum_{1\leqslant m<n}\begin{bmatrix}5\\m\end{bmatrix}\begin{bmatrix}5\\n-m\end{bmatrix}$$

$${}_{m}^{\sharp}\Delta\,{}_{n}^{\sharp}\Delta = \sum_{m\succ d\prec n} d^{11}\,{}_{mn/d^2}^{\sharp}\Delta$$

$$m \curlywedge n = 1 \Longrightarrow {}_{m}^{\sharp}\Delta\,{}_{n}^{\sharp}\Delta = {}_{mn}^{\sharp}\Delta$$

$${}^{\sharp}E_n^k = \frac{2(2\pi i)^k}{(k-1)!}\,\sigma_n^{k-1} = -\frac{4k\zeta^k}{B_k}\,\sigma_n^{k-1}$$

$${}^{x+yi}E^s = y^s + y^{1-s}\sqrt{\pi}\frac{\zeta^{2s-1}\Gamma_{s-1/2}}{\zeta^{2s}\Gamma_s} + 4\sqrt{y}\sum_{n\geqslant 1}{}^{2\pi ny}K^{s-1/2}\,{}^{2\pi nx}\mathfrak{c}\,\eta_n^{s-1/2}$$

$$\frac{{}^{\sharp}E_n^k}{\zeta^k} = -\frac{2k}{B_k}\,\sigma_n^{k-1}$$