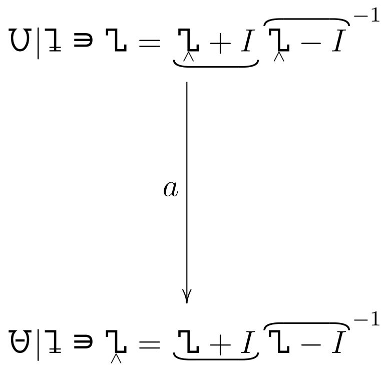
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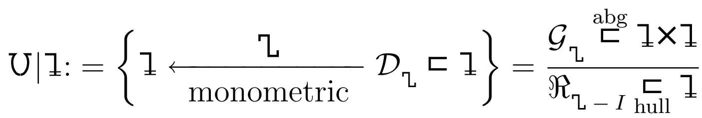
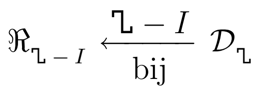

abg
monometric
hull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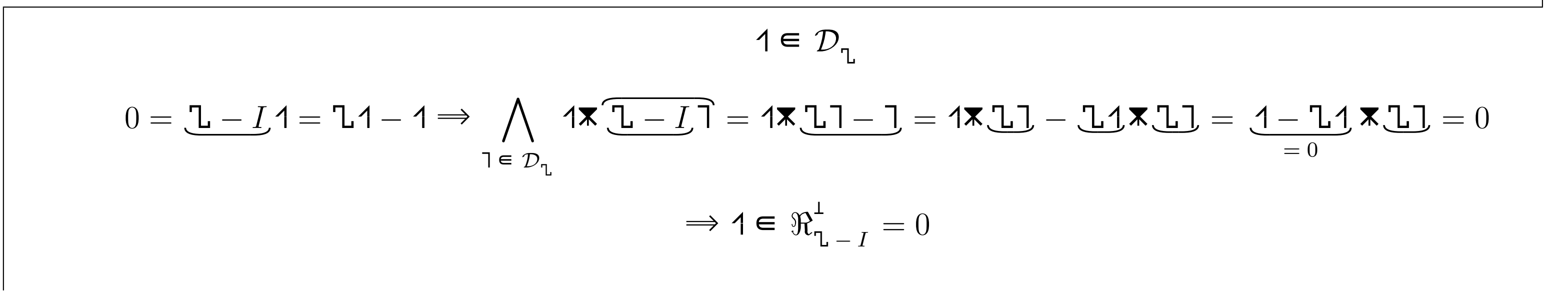

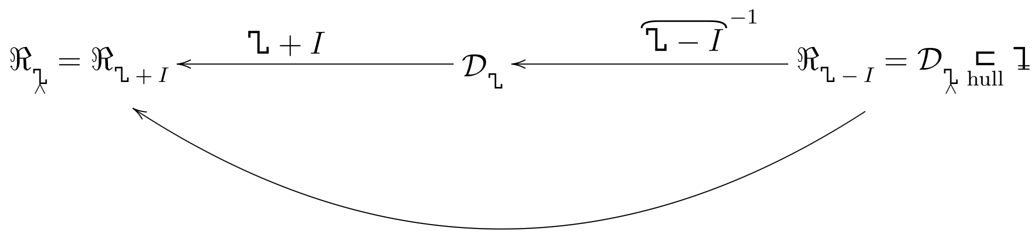
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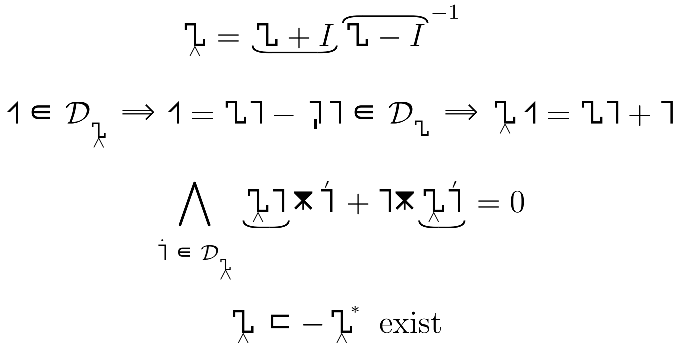

exist

$$\dot{⌉} = \underbrace{ʅ - I}\,\dot{1}$$

$$\dot{1} \in \mathcal{D}_{ʅ} \Rightarrow \underbrace{ʅ⌉}✕\acute{⌉} + ⌉✕\underbrace{ʅ\acute{⌉}} = \underbrace{ʅ1+1}✕\underbrace{ʅ\acute{1}-\acute{1}} + \underbrace{ʅ1-1}✕\underbrace{ʅ\acute{1}+\acute{1}} = 2\,\overbrace{\underbrace{ʅ1✕ʅ\acute{1}} - 1✕\acute{1}} = 0$$

$$\mathcal{G}_{ʅ} \overset{\text{abg}}{\sqsubset} ⊥\times⊥$$

$$ʅ \in \Theta|⊥$$

$$\mathcal{G}_{ʅ} \ni ⌉_n : ʅ\,⌉_n \rightsquigarrow ⌉:1 \in ⊥\times⊥ \Rightarrow ⌉_n = ʅ\,1_n - 1_n$$

$$1_n \in \mathcal{D}_{ʅ}$$

$$ʅ\,⌉_n = ʅ\,1_n + 1_n$$

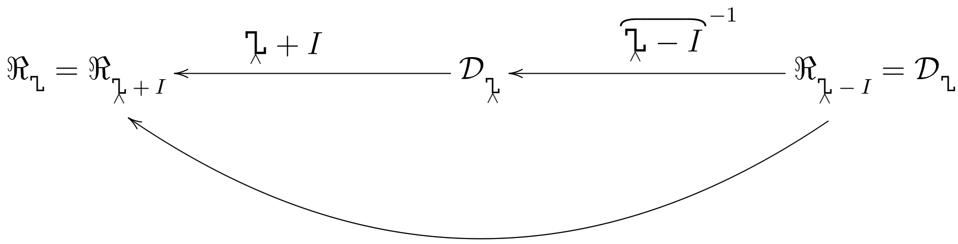
$$\Rightarrow 2\,1_n = ʅ\,⌉_n - ⌉_n \rightsquigarrow 1 - ⌉$$

$$2ʅ\,1_n = ʅ\,⌉_n + ⌉_n \rightsquigarrow 1 + ⌉$$

$$\underset{\mathcal{G}_{ʅ}\,\text{abg}}{\Longrightarrow} 1 - ⌉ \in \mathcal{D}_{ʅ}$$

$$ʅ\underbrace{1-⌉} = 1 + ⌉ \Rightarrow ⌉ = \frac{1+⌉}{2} - \frac{1-⌉}{2} = \underbrace{ʅ - I}\frac{1-⌉}{2} \in \Re_{ʅ - I} = \mathcal{D}_{ʅ}$$

$$ʅ\,⌉ = \underbrace{ʅ + I}\frac{1-⌉}{2} = \frac{1+⌉}{2} + \frac{1-⌉}{2} = 1 \Rightarrow ⌉:1 \in \mathcal{G}_{ʅ}$$



$$ʅ = \underbrace{ʅ + I}\,\overbrace{ʅ - I}^{-1}$$

$$⌉ \in \mathcal{D}_{ʅ} \Rightarrow ⌉ = ʅ1 - 1$$

$$1 \in \mathcal{D}_{ʅ} \Rightarrow \underbrace{ʅ - I}⌉ = \underbrace{ʅ1+1} - \underbrace{ʅ1-1} = 21$$

$$\Rightarrow \Re_{ʅ - I} = \mathcal{D}_{ʅ} \wedge \underbrace{ʅ + I}\,\overbrace{ʅ - I}^{-1} 1 = \underbrace{ʅ + I}\frac{⌉}{2} = \frac{ʅ⌉ + ⌉}{2} = \frac{\underbrace{ʅ1+1} + \underbrace{ʅ1-1}}{2} = ʅ1$$