

$$\mathcal{H}\mathfrak{I}=\underline{\mathbb{I}}-2x\underline{\mathfrak{I}}+2n\mathfrak{I}=0$$

$${}_{t\,(2x-t)}\mathfrak{e}\underset{\mathrm{Her}}{=}\sum_n^{\mathbb{N}}t^{2n}{_1\!\!\! \operatorname{\,\mathcal{K}\,}}\begin{array}{c} -n \\[-4pt] x^2 \\[-4pt] 1/2 \end{array}+2x\sum_n^{\mathbb{N}}t^{2n+1}{_1\!\!\! \operatorname{\,\mathcal{K}\,}}\begin{array}{c} -n \\[-4pt] x^2 \\[-4pt] 3/2 \end{array}$$

$$\mathbb{R}\mathop{\diagdown}\limits^2_m\mathbb{C}$$

$$dx^{-x^2} e$$

$$\mathbb{R}\mathop{\diagdown}\limits^2_m\mathbb{C}\leftarrow\mathbb{R}\mathop{\diagdown}\limits^2_m\mathbb{C}$$

$$\underline{\mathbb{I}}-2x\underline{\mathfrak{I}}+2n\mathfrak{I}=0$$

$${x^\varepsilon}_{{\varepsilon}+1/2}^{-m}\begin{array}{c} -m \\[-4pt] x^2 \\[-4pt] \end{array}={}^xH_{2m+\varepsilon}$$

$$n=2m+\varepsilon$$