$$o \in \hbar \in \triangle_0$$

$$\Gamma \sqsubset {}^{\mathbb{S}}\blacktriangle_0 \hbar{:}o$$

$$\underline{\hbar} = \underbrace{\Gamma{:}\,{}^{\mathbb{S}}\blacktriangle_0 \hbar{:}o} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0 o{:}\hbar} = \begin{cases} \underbrace{\Gamma{:}\,{}^{\mathbb{S}}\blacktriangle_0 \hbar{:}o} \asymp \gamma \\ \gamma \in {}^{\mathbb{I}}\triangle_0 o{:}\hbar \end{cases}$$

$$\underbrace{\Gamma{:}\,{}^{\mathbb{S}}\blacktriangle_0 \hbar{:}o} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0 o{:}\hbar} \xrightarrow{\mathfrak{e}} \hbar$$

$$\underbrace{\Gamma{:}\,{}^{\mathbb{S}}\blacktriangle_0 \hbar{:}o} \asymp \gamma \mapsto {}^{1}\gamma$$

$$\gamma \in {}^{\mathbb{I}}_{0}\triangle\, o{:}\hbar$$

$$^{1}\gamma \in U \subsetneq \hbar \Longrightarrow \text{ off subbasis}$$

$$\underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \in \underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,{}^{1}\gamma{:}U} \subset \underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,o{:}\hbar}$$

$$\underset{\sim}{\gamma} \asymp {}^{\mathbb{I}}_{0}\blacktriangle\,{}^{1}\gamma{:}U \subset \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,o{:}\hbar}$$

$$\underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} = \underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \asymp {}^{1}\gamma$$

$$\underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,{}^{1}\gamma{:}U \cap V} \subset \overbrace{\underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,{}^{1}\gamma{:}U}} \cap \overbrace{\underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,{}^{1}\gamma{:}V}}$$

$$\underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \asymp \underset{\sim}{\eta} \in \underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,{}^{1}\gamma{:}U}$$

$$\eta \in {}^{\mathbb{I}}_{0}\triangle\,{}^{1}\gamma{:}U$$

$$\Rightarrow \underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma\eta} \asymp \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,{}^{1}\eta{:}U} = \underbrace{\Gamma{:}{}^{\mathbb{S}}_{0}\blacktriangle\,\hbar{:}o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}_{0}\blacktriangle\,{}^{1}\gamma{:}U}$$

$$\underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, o : \hbar} \xrightarrow[\text{stet}]{\mathfrak{e}} \hbar$$

$$\underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\gamma : U} \xrightarrow{\mathfrak{e}} U$$

$$\underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, o : \hbar} \xrightarrow[\text{off}]{\mathfrak{e}} \hbar \text{ lic 0-zush}$$

$${}^{1}\gamma \in \underset{\text{0-zush}}{U} \subset \hbar \Rightarrow \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\gamma : U} \xrightarrow[\text{surj}]{\mathfrak{e}} U$$

$${}^{1}\gamma \in U \subset \hbar$$

$$\underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma} \asymp \underset{\sim}{\eta} \in \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\gamma : U}$$

$$\Rightarrow \bigvee U \supset \underset{\text{0-zush}}{V} \ni {}^{1}\eta$$

$$\Rightarrow \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\gamma : U} = \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma\eta} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\eta : U} \supset \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma\eta} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\eta : V} \ni \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma\eta}$$

$$\Rightarrow \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\vartheta} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\vartheta : \overset{\text{0-zush}}{V}} \text{ off subbasis}$$

$$\underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\gamma : V} \xrightarrow[\text{surj}]{\mathfrak{e}} V$$

$${}^{1}\gamma \in \underset{\text{0-zush}}{\overset{\text{1-zush}}{U}} \subset \hbar \Rightarrow \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\gamma : U} \xrightarrow[\text{homeo}]{\mathfrak{e}} U$$

$$\underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma \asymp \dot{\eta}} \in \underbrace{\Gamma: {}^{\mathbb{S}}\blacktriangle_{0}\, \hbar : o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_{0}\, {}^{1}\gamma : U}$$

$$\dot{\eta} \in {}^{\mathbb{I}}\triangle_{0}\, {}^{1}\gamma : U$$

$${}^{1}\eta = {}^{1}\acute{\eta} \Rightarrow \underset{\sim}{\bar{\eta} \asymp \eta^{-}} \in {}^{\mathbb{S}}\blacktriangle_{0}\, U : {}^{1}\gamma = \text{ pt } \Rightarrow \underset{\sim}{\gamma \asymp \eta} = \underset{\sim}{\gamma \asymp \eta}\underset{\sim}{\eta^{-} \asymp \acute{\eta}} = \underset{\sim}{\gamma \asymp \acute{\eta}} \Rightarrow \text{ inj}$$

$$\mathfrak{e}_U^{-1} \underset{\text{disj}}{=} \bigcup_{{}^1\gamma\, \in U}^{\gamma\, \in\, {}^{\mathbb{I}}\triangle_0 o:\hbar} \underbrace{\Gamma:{}^{\mathbb{S}}\blacktriangle_0\, \hbar:o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0\, {}^1\gamma:U}$$

$$\underbrace{\Gamma:{}^{\mathbb{S}}\blacktriangle_0\, \hbar:o} \asymp \underset{\sim}{\eta} \in \underbrace{\Gamma:{}^{\mathbb{S}}\blacktriangle_0\, \hbar:o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0\, {}^1\gamma:U} \cap \underbrace{\Gamma:{}^{\mathbb{S}}\blacktriangle_0\, \hbar:o} \asymp \underset{\sim}{\acute{\gamma}} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0\, {}^1\acute{\gamma}:U}$$

$$\Rightarrow \underbrace{\Gamma:{}^{\mathbb{S}}\blacktriangle_0\, \hbar:o} \asymp \underset{\sim}{\gamma} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0\, {}^1\gamma:U} = \underbrace{\Gamma:{}^{\mathbb{S}}\blacktriangle_0\, \hbar:o} \asymp \underset{\sim}{\eta} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0\, {}^1\eta:U} = \underbrace{\Gamma:{}^{\mathbb{S}}\blacktriangle_0\, \hbar:o} \asymp \underset{\sim}{\acute{\gamma}} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0\, {}^1\acute{\gamma}:U}$$

$$\underbrace{\Gamma:{}^{\mathbb{S}}\blacktriangle_0\, \hbar:o} \asymp \underbrace{{}^{\mathbb{I}}\blacktriangle_0\, o:\hbar} \text{ 0-zush}$$