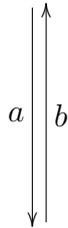


$$\hbar_{\infty} \underbrace{\hbar_{\infty} \Gamma O | \mathbb{L}} = \hbar_{\infty} \underbrace{\emptyset}_{> | \mathbb{L}} \ni \times \text{ metric}$$

$$\underbrace{\mathbb{C} | \mathbb{L} \times \hbar_{\infty} \Gamma C | \mathbb{L}}_{\cup | \mathbb{L}} = \frac{\tilde{\times} \in \mathbb{C} | \mathbb{L} \times \hbar_{\infty} \underbrace{\hbar_{\infty} \Gamma O | \mathbb{L}}}{pg \tilde{\times} = g^{-1p} \tilde{\times} \text{ homog}}$$

$$\underbrace{\mathbb{C} | \mathbb{L} \times \hbar_{\infty} \emptyset}_{\cup | \mathbb{L}} > | \mathbb{L} = \frac{\tilde{\times} \in \mathbb{C} | \mathbb{L} \times \hbar_{\infty} \emptyset > | \mathbb{L}}{pg \tilde{\times} = g^{-1p} \tilde{\times} \text{ homog}}$$

$$\underbrace{\hbar_{\infty} \emptyset}_{> | \mathbb{L}} = \underbrace{\hbar_{\infty} \Gamma O}_{> | \mathbb{L}}$$



$$\underbrace{\mathbb{C} | \mathbb{L} \times \hbar_{\infty} \emptyset}_{\cup | \mathbb{L}} > | \mathbb{L} = \underbrace{\hbar_{\infty} \Gamma O}_{> | \mathbb{L}}$$