$$b = \overset{t}{b}$$

$$b + \overset{*}{b} > 0$$

$$\int_{dx/\pi^{d/2}}^{\mathbb{R}_d} {}^{x}\mathfrak{e}_x^{-b}\; {}^{w}\mathfrak{e}_x^{2} = \overbrace{b}^{-\,1/2}\; {}^{w}\boxed{\mathfrak{e}}^{b^{-1}}_{\bar{w}}$$

$$\mathfrak{e}_u \overset{b}{\bowtie} \mathfrak{e}_v = \int_{dx/\pi^{d/2}}^{\mathbb{R}_d} {}^{x}\mathfrak{e}_x^{-b}\; {}^{u}\mathfrak{e}_x\; {}^{x}\mathfrak{e}_v = \overbrace{b}^{-\,1/2}\; {}^{u}\boxed{\mathfrak{e}}^{b^{-1}}_{v}$$

$$\int_{dx/\pi^{d/2}}^{\mathbb{R}_d} {}^{x}_{\nu}\mathfrak{e}_x^{-b}\; {}^{w}_{\nu}\mathfrak{e}_x^{2} = \overbrace{\nu b}^{-\,1/2}\; {}^{w}_{\nu}\boxed{\mathfrak{e}}^{b^{-1}}_{\bar{w}}$$

$$\mathfrak{e}_u \underset{\nu}{\overset{b}{\bowtie}} \mathfrak{e}_v = \int_{dx/\pi^{d/2}}^{\mathbb{R}_d} {}^{x}_{\nu}\mathfrak{e}_x^{-b}\; {}^{u}_{\nu}\mathfrak{e}_x\; {}^{x}_{\nu}\mathfrak{e}_v = \overbrace{\nu b}^{-\,1/2}\; {}^{u}_{\nu}\boxed{\mathfrak{e}}^{b^{-1}}_{v}$$