$$\delta^{\mu}_{\lambda} = \int_{du}^{X^{\mathbb{C}}_{\mho}} {}^{u}_{\mho}\bar{X}^{\mathbb{C}}_{\lambda}\, {}^{u}_{\mho}X^{\mathbb{C}}_{\mu} = \int_{du^{\cdot}}^{\mathbb{C}^{r}_{\mho}} {}^{u^{\cdot}}_{\mho}\bar{X}^{\mathbb{C}}_{\lambda}\, {}^{u^{\cdot}}_{\mho}X^{\mathbb{C}}_{\mu} \prod_{i<j} \overbrace{u^{j} - u^{i}}^{a}$$

$$\delta^{\mu}_{\lambda} = \int_{dx}^{X_{-e|e}} {}^{x}_{-e|e}\bar{X}_{\lambda}\, {}^{x}_{-e|e}X_{\mu} = \int_{dx^{\cdot}}^{{}_{-1|1}\mathbb{R}^{r}} {}^{x^{\cdot}}_{-e|e}\bar{X}_{\lambda}\, {}^{x^{\cdot}}_{-e|e}X_{\mu} \prod_{i<j} \overbrace{x^{j} - x^{i}}^{a}$$

$${}^{z}_{\mu}\mathrm{Leg} = \int_{dk}^{\mathrm{Aut}\ X^{\mathbb{C}}} {}^{(z \cdot k \overset{-1}{+} z^{*} \cdot k)}_{\mu}X_{<}$$

$${}^{x}X^{\lambda i + \varrho}_{\mho} = {}^{(e+x)\,\overbrace{e-x}^{-1}}X^{\lambda + \varrho}_{\mathsf{C}}$$

$${}^{(z-e)\,\overbrace{z+e}^{-1}}_{\mathbb{C}}X^{\mho\ z+e}_{\mu}\Delta^{-\nu} \in X^{\mathbb{C}}_{\mathsf{C}} \,{}^{2}_{\omega}\!\triangle\, \mathbb{C} \text{ L-inv o-basis}$$