

$$X=\ ^n\mathbb{C}_n$$

$$\gamma \mathbin{\overline{\times}}^s \gamma = \int\limits_{dx} x \bar{\gamma} \int\limits_{dy} y \gamma^{x-y} \overline{\Delta}^{s-2n} = \bar{\gamma}_\xi \gamma_\xi \overline{\nabla}_\xi^{-s} \int\limits_{^n\mathbb{R}_n}^{d\xi} = \int\limits_{dx} \overline{x \mathfrak{e}_\xi^{-ix} \gamma} \int\limits_{dy} y \mathfrak{e}_\xi^{-i\,y} \gamma \overline{\nabla}_\xi^{-s} \int\limits_{^n\mathbb{R}_n}^{d\xi} = \int\limits_{dx} x \bar{\gamma} \int\limits_{dy} y \gamma^{x-y} \mathfrak{e}_\xi^i \overline{\nabla}_\xi^{-s} \int\limits_{^n\mathbb{R}_n}^{d\xi}$$

$$\frac{a}{c}\left|\begin{matrix} b \\ d \end{matrix}\right| \in {^n_2}\mathbb{C}_n^\complement$$

$$\overbrace{\frac{a}{c}\left|\begin{matrix} b \\ d \end{matrix}\right| \mathbin{\overline{\times}}^s \gamma}^x = \underbrace{\gamma^{\frac{-1}{a+xc}\cancel{b+xd}}}_{a+xc} \gamma^{a+xc} \overline{\Delta}^{-2n-s}$$