

$$U \xrightarrow[\text{stet}]{{\mathfrak H}} {\mathbb K}^n$$

$$U \xrightarrow[\text{stet}]{{\mathbf 1}} {\mathbb K}$$

$$+_{n+}^U {\mathbb K} = \frac{U \xrightarrow[\text{n-diff+}]{{\mathfrak I}} {\mathbb K}}{_n{\mathfrak I} = {\mathfrak H}_+{\mathfrak I} + {\mathbf 1} = {\mathfrak H}_j{\mathfrak I} + {\mathbf 1}} \text{ inhom Lsg-Raum}$$

$$\gamma \in +_{n+}^U {\mathbb K} \Rightarrow +_{n+}^U {\mathbb K} = \gamma + +_{n+}^U {\mathbb K}$$

$$\supset : 1 \in +_{n+}^U {\mathbb K} \wedge \gamma \in +_{n+}^U {\mathbb K} \Rightarrow {}_n1 + \gamma = {}_n1 + {}_n\gamma = \widehat{{\mathfrak H}_+1} + \widehat{{\mathfrak H}_+\gamma + {\mathbf 1}} = {\mathfrak H}_+\widehat{1 + \gamma} + {\mathbf 1} \Rightarrow 1 + \gamma \in +_{n+}^U {\mathbb K}$$

$$\subset : \gamma \in +_{n+}^U {\mathbb K} \Rightarrow {}_n\gamma - \gamma = {}_n\gamma - {}_n\gamma = \widehat{{\mathfrak H}_+\gamma + {\mathbf 1}} - \widehat{{\mathfrak H}_+\gamma + {\mathbf 1}} = {\mathfrak H}_+\widehat{\gamma - \gamma} \Rightarrow \gamma - \gamma \in +_{n+}^U {\mathbb K}$$