$$\mathcal{I}\left(\text{ϟ}\right) > 0$$

$${}^{\text{ϟ}}\mathcal{E}^{\text{√┌}.\,{}^{n}\mathbb{Z}} = \sum_{\text{˩}}^{\text{√┌}.\,{}^{n}\mathbb{Z}} {}^{\pi i \overset{*}{\text{˩}}\text{ϟ˩}}\mathcal{E} = {}^{\pi i \overset{*}{\text{┘}}\overset{*}{\text{┘}}\text{ϟ√┘}}\mathcal{E} \sum_{\text{┘}}^{{}^{n}\mathbb{Z}} = {}^{\overset{*}{\text{┘}}\text{ϟ√}}\mathcal{E}^{{}^{n}\mathbb{Z}}$$

$${}^{\overset{*}{\text{√}}\text{ϟ√}}\mathcal{E}^{\text{√┌}.\,{}^{n}\mathbb{Z}} = {}^{\overset{*}{\text{┘}}\overset{*}{\text{√}}\text{ϟ√√}}\mathcal{E}^{{}^{n}\mathbb{Z}} = {}^{\text{ϟ}}\mathcal{E}^{\text{┘√}.\,{}^{n}\mathbb{Z}}$$

$$\text{gitt } \text{┴} \subset \mathbb{R}_{n} \ni \text{┌} = \overbrace{\text{┌}_{1}\cdot\cdot\text{┌}_{n}}$$

$${}^{\text{ϟ}}\mathcal{E}^{\text{┴}} = \sum_{\text{┌}}^{\text{┴}} {}^{\pi i \text{ϟ}}{}_{\text{┌}}\mathcal{E}^{\text{┌}} = \sum_{\text{┌}}^{\text{┴}} {}^{\pi i \text{┌ϟ}\overset{*}{\text{┌}}}\mathcal{E}$$

$$\text{┐} \sqsubset {}^{n}\mathbb{R}$$

$$\text{co-gitt } \text{┐̸} = \mathbb{Z}\triangle^{\text{┐}} \sqsubset \mathbb{R}_{n}$$

$$(\tau/i)^{n/2}\,{}^{\tau}\mathcal{E}^{\text{┐̸}} = {}^{-1/\tau}\mathcal{E}^{\text{┐}}\overline{\mathbb{R}_{n} \sqcap \text{┴}}$$