$$\omega_2 = \frac{\omega⧗1_R \;\big|\; \varkappa\Gamma\psi⧗\overset{*}{e}}{\varphi\Gamma⧗e \;\big|\; \Omega⧗1_L}$$

$$\omega \in {}^{\hbar}\triangle_{\infty}\underbrace{{}^{\bar{\hbar}}\triangle\mathbb{K}} : \quad \Omega \in {}^{\hbar}\triangle_{\infty}\underbrace{{}^{\bar{\hbar}}\triangle^{2}\mathbb{K}_2} : \quad \varphi \in {}^{\hbar}\triangle_{\infty}{}^{2}\mathbb{K} : \quad \psi \in {}^{\hbar}\triangle_{\infty}\mathbb{K}_2$$

$$\frac{f^0_R⧗1_R \;\big|\; 0}{0 \;\big|\; f^0_L⧗1_L}\;\frac{df^1_R⧗1_R \;\big|\; \varkappa\Gamma f^1_{\underbrace{LR}}⧗\overset{*}{e}}{f^1_{\underbrace{LR}}\Gamma⧗e \;\big|\; df^1_L⧗1_L} = \frac{f^0_R df^1_R⧗1_R \;\big|\; \varkappa\Gamma f^0_R f^1_{\underbrace{LR}}⧗\overset{*}{e}}{f^0_L f^1_{\underbrace{RL}}\Gamma⧗e \;\big|\; f^0_L df^1_L⧗1_L}$$

$$f^0_2\underbrace{D_2 ⋇ f^1_2} = \frac{f^0⧗1_R \;\big|\; 0}{0 \;\big|\; F^0⧗1_L}\;\frac{df^1⧗1_R \;\big|\; \varkappa\Gamma\underbrace{\overset{*}{\varepsilon}F^1 - f^1\overset{*}{\varepsilon}}⧗\overset{*}{e}}{\underbrace{\varepsilon f^1 - F^1\varepsilon}\Gamma⧗e \;\big|\; dF^1⧗1_L}$$

$$= \frac{f^0 df^1⧗1_R \;\big|\; \varkappa\Gamma f^0\underbrace{\overset{*}{\varepsilon}F^1 - f^1\overset{*}{\varepsilon}}⧗\overset{*}{e}}{F^0\underbrace{\varepsilon f^1 - F^1\varepsilon}\Gamma⧗e \;\big|\; F^0 dF^1⧗1_L}$$

$$\omega = f^0 df^1 : \quad \Omega = F^0 dF^1 : \quad \varphi = F^0\underbrace{\varepsilon f^1 - F^1\varepsilon} : \quad \psi = f^0\underbrace{\overset{*}{\varepsilon}F^1 - f^1\overset{*}{\varepsilon}}$$

$$\omega_2 = -\overset{*}{\omega}_2 = \frac{\omega⧗1_R \;\big|\; \varkappa\Gamma\overset{*}{\varphi}⧗\overset{*}{e}}{\varphi\Gamma⧗e \;\big|\; \Omega⧗1_L}$$

$$\omega \in {}^{\hbar}\triangle_{\infty}\underbrace{{}^{\bar{\hbar}}\triangle\mathbb{K}}$$

$$\Omega \in {}^{\hbar}\triangle_{\infty}\underbrace{{}^{\bar{\hbar}}\triangle^{2}\mathbb{K}_2}$$

$$\frac{\omega⧗1_R \;\big|\; \overset{*}{\varkappa}\Gamma\psi⧗\overset{*}{e}}{\varphi\Gamma⧗e \;\big|\; \Omega⧗1_L} = \frac{\overset{*}{\omega}⧗1_R \;\big|\; \overset{*}{\Gamma}\overset{*}{\varphi}⧗\overset{*}{e}}{\overset{*}{\psi}\overset{*}{\Gamma}\varkappa⧗e \;\big|\; \overset{*}{\Omega}⧗1_L} = \frac{\bar{\omega}⧗1_R \;\big|\; -\varkappa\Gamma\overset{*}{\varphi}⧗\overset{*}{e}}{-\overset{*}{\psi}\Gamma⧗e \;\big|\; \overset{*}{\Omega}⧗1_L}$$

$$\bar{\omega} = -\omega : \quad \overset{*}{\Omega} = -\Omega : \quad \overset{*}{\varphi} = \psi$$

$$\omega_2 = -\overset{*}{\omega}_2\, s\, \underline{\varrho ⋇ \omega_2} = 0 \bigwedge_{\varrho} \in$$

$$\omega_2 = \frac{\omega⧗1_R \;\big|\; \varkappa\Gamma\overset{*}{\varphi}⧗\overset{*}{e}}{\varphi\Gamma⧗e \;\big|\; \underbrace{\Omega_0 + \frac{1}{2}\omega}⧗1_L}$$

$$\omega \in {}^{\hbar}\triangle_{\infty}\underbrace{{}^{\bar{\hbar}}\triangle\mathbb{K}}$$

$$\Omega_0 \in {}^{\hbar}\triangle_{\infty}\underbrace{{}^{\bar{\hbar}}\triangle^{2}\mathbb{K}_2}$$

$$\omega = \underbracket{\Omega}$$

$$0 = s \underbracket{\begin{array}{c|c} \varrho \text{⧗} 1_R & 0 \\ \hline 0 & \varrho \text{⧗} 1_L \end{array} \begin{array}{c|c} \omega \text{⧗} 1_R & \varkappa \Gamma \overset{*}{\varphi} \text{⧗} \overset{*}{e} \\ \hline \varphi \Gamma \text{⧗} e & \Omega \text{⧗} 1_L \end{array} \begin{array}{c|c} I \text{⧗} y_R & 0 \\ \hline 0 & I \text{⧗} y_L \end{array}} = s \underbracket{\begin{array}{c|c} \varrho \times \omega \text{⧗} y_R & \varkappa \zeta \Gamma \overset{*}{\varphi} \text{⧗} \overset{*}{e} y_L \\ \hline \zeta \varphi \Gamma \text{⧗} e y_R & \varrho \times \Omega \text{⧗} 1_L \end{array}}$$

$$= \underbracket{y_R} \varrho \bar{\text{⧗}} \omega - \underbracket{y_L} \varrho \bar{\text{⧗}} \Omega = s \varrho \bar{\text{⧗}} \underbrace{\omega - \Omega} \Longrightarrow \omega = \underbracket{\Omega} \Longrightarrow \Omega = \Omega_0 + \frac{1}{2} \omega \Omega_0 \in$$