

$$D=4$$

$$E_8^1 = E_7: \text{ scalar coset } E_7 /$$

$$E_7^1 = O_{6:6}: \text{ scalar coset } O_{6:6} / O_6 \times O_6$$

$$E_6^1 = S L_6^{\mathbb{R}}: \text{ scalar coset } S L_6^{\mathbb{R}} / O_6$$

$$E_5^1 = S L_2^{\mathbb{R}} \times O_{3:3}: \text{ scalar coset } S L_2^{\mathbb{R}} / O_2 \times O_{3:3} / O_3 \times O_3$$

$$S L_2^{\mathbb{R}} \text{ S duality}$$

$$E_4^1 = G L_2^{\mathbb{R}}: \text{ scalar coset } G L_2^{\mathbb{R}} / O_2$$

$$E_3^1 = G L_2^{\mathbb{R}}: \text{ scalar coset } G L_2^{\mathbb{R}} / O_2$$

$$E_2^1 = O_{1:1}: \text{ scalar coset } O_{1:1} \ni \mathbb{Q} \text{ dilaton}$$

$$\begin{cases} \mathbb{A} \\ \mathbb{Q} \\ \mathcal{Z} \end{cases} = \boxed{\mathbb{A}} + \overline{\mathbb{Q}}^2 - \mathfrak{e}^{\sqrt{7}\mathbb{Q}} \overline{\mathcal{Z}}^2$$

$$E_1^1 = 1$$

$$F_4^1 = S p_6^{\mathbb{R}}: \text{ scalar coset } S p_6^{\mathbb{R}} / U_3$$

$$G_2^1 = S L_2^{\mathbb{R}}: \text{ scalar coset } S L_2^{\mathbb{R}} / O_2$$

$$D_8^1 = O_{6:6} \times S L_2^{\mathbb{R}}: \text{ scalar coset } O_{6:6} / O_6 \times O_6 \times S L_2^{\mathbb{R}} / O_2$$