$$\text{co basis } \text{ㄣ} = \text{ㄣ}^1 \,\big|\cdot\big|\, \text{ㄣ}^p$$

$$_n\mathbb{R} \ni \text{ㄣ}^i\, {}_i\text{ɿ} \xleftarrow[\text{lin}]{\text{ㄣ}} {}_p\mathbb{R} \ni \text{ɿ}$$

$$\mathbb{C} \xleftarrow{\text{ᒐ}} {}_n\mathbb{R} \xleftarrow{\text{ㄣ}} {}_p\mathbb{R}, \qquad {}_p\mathbb{R} \xrightarrow{\text{ᒐ}_{\text{ㄣ}}} \mathbb{C}$$

$$\widehat{\text{ᒐ}_{\text{ㄣ}}}_{\text{ɿ}} = \text{ᒐ}_{\text{ㄣɿ}}$$

$$\mathbb{R}^n \xrightarrow{\text{ʔ}} \mathbb{C}$$

$${}^{\text{ɓ}}\text{ʔ}^{\text{ㄣ}} = \int_{\text{ɓ} = \mathsf{L}\text{ㄣ}} {}^{\mathsf{L}}\text{ʔ} \det\left(d\mathsf{L}\text{ㄣ}^1 \,\big|\cdot\big|\, d\mathsf{L}\text{ㄣ}^p\right) \vdash d\mathsf{L}$$

$$\hat{\text{ʔ}}^{\text{ㄣ}} = \hat{\tilde{\text{ʔ}}}_{\text{ㄣ}}$$

$${}^{\mathsf{L}}\text{ʔ} = \int_{d\text{ꓶ}}^{{}_n\mathbb{R}} \text{ʔ}_{\wedge\text{ꓶ}}\, \mathfrak{e}^{-i\mathsf{L}\text{ꓶ}}$$

$${}^{\mathsf{C}}_{1}\mathbb{R}^{1+n}_{\bullet}$$

$$\omega(\mathsf{L}) \text{ vol n-form}$$

$${}^{\mathsf{C}}_{1}\mathbb{R}^{1+n}_{\bullet} \supset \frac{\mathsf{L} \in {}^{\mathsf{C}}_{1}\mathbb{R}^{1+n}_{\bullet}}{\mathsf{L}|\text{ㄣ}^{\cdot} = 0} \text{ q-plane}$$

$${}_0{}^{\text{ㄣ}}\text{ʔ}^{\text{ㄣ}} = \int_{d\mathsf{L}}^{\mathsf{L}..\text{ㄣ}=0} {}^{\mathsf{L}}\text{ʔ} \det\left(d\mathsf{L}\text{ㄣ}^1 \,\big|\cdot\big|\, d\mathsf{L}\text{ㄣ}^p\right) \vdash \omega(\mathsf{L})$$

$$\det\left(\text{ㄣ}^1 \,\big|\cdot\big|\, \text{ㄣ}^p\right) \left|d\text{ㄣ}^{\cdot}\partial_{\cdot}\right|\cdot\left|d\text{ㄣ}^{\cdot}\partial_{\cdot}\right| \text{ q-form on } {}^{\mathsf{C}}_{q}\mathbb{R}^n \to {}^{\mathsf{C}}_{q}\mathbb{R}^n_{\bullet}$$