

$$U^{\mathbb{C}} \ni {}_+^z G_g = \mathbf{t}_z g \mathbf{t}_{-zg} = \mathbf{t}_{0\tilde{g}^{-z}} {}^z K_g$$

$${}_+^z G_g \stackrel{zg}{+} G_{g'} = {}_+^z G_{gg'}$$

$$\zeta \overbrace{{}_+^z G_g^{-n} \mathbf{1}} = \zeta + {}^z D_g^{-n} \zeta + {}^z g - {}^z g \mathbf{1}$$

$$\begin{aligned} \underline{{}_+^z G_g} &= \underline{\zeta \mathbf{t}_z g \mathbf{t}_{-zg}} = \underline{\zeta \frac{\mathbf{t}_z}{=1} {}^z K_g \frac{\zeta + {}^z g}{=1} \mathbf{t}_{-zg}} = \zeta + {}^z K_g \\ \Rightarrow \text{LHS} &= \det \underline{{}_+^z G_g}^{-n} \zeta {}_+^z G_g \mathbf{1} = \text{RHS} \end{aligned}$$

$$\begin{array}{ccc} {}_+^z G_w & = & \mathbf{t}_{wz} {}^z B_w \mathbf{t}_{zw}^* \\ \\ \begin{array}{ccc} Z \triangleleft_{\mathbb{C}}^{|n} & \xleftarrow{{}_+^z G_w^n} & Z \triangleleft_{\mathbb{C}}^{|n} \\ \uparrow {}_+^z G_g^n & & \downarrow {}_+^w G_g^n \\ Z \triangleleft_{\mathbb{C}}^{|n} & \xleftarrow{{}_+^{zg} G_{wg}^n} & Z \triangleleft_{\mathbb{C}}^{|n} \end{array} & & \end{array}$$

$$\zeta \overbrace{{}_+^w G_g^{-n} \mathbf{1}} = {}^w D_g^{-n} {}^{0\tilde{g}^{-w}} + \zeta {}^w K_g \mathbf{1}$$

$$\begin{aligned} \text{affin } {}_+^w G_g &= {}^w K_g \mathbf{t}_{0\tilde{g}^{-w}} \Rightarrow \begin{cases} \zeta {}_+^w G_g & = \zeta {}^w K_g + 0\tilde{g}^{-w} \\ \zeta {}_+^w G_g & = {}^w K_g \end{cases} \\ \Rightarrow \text{LHS} &= \det \underline{{}_+^w G_g}^{-n} \zeta {}_+^w G_g \mathbf{1} = \text{RHS} \end{aligned}$$