$$ {}_{\text{ꜧ}\wedge\text{ꜧ1}}\text{ʔ} = \delta\left(.\text{ꜧ}\right)\,\text{ʔ}^{\text{ꜧ}}_{\wedge 1} $$

$$ {}_{\text{ꜧ}\wedge\text{ㄱ}}\text{ɥ} = \int_{d\,\tilde{\text{L}}}^{\mathbb{R}^n \,\neg\, \overbrace{\mathbb{R}^q\text{ꜧ}}} {}^{\text{L}}_{\text{ꜧ}}\text{ɥ}\;\mathfrak{e}^{-\text{Lㄱ}} $$

$$ {}^{\tilde{\text{L}}}_{\text{ꜧ}}\text{ʔ} = \delta\left(.\text{ꜧ}\right)\int_{d\text{ʟ}}^{\mathbb{R}^q} {}^{\text{L}+\text{ʟ}\cdot\text{ꜧ}}\text{ʔ} = \delta\left(.\text{ꜧ}\right)\int_{\text{Lꜧ} = \text{Lꜧ}}^{\mathbb{R}^q} {}^{\text{L}}\text{ʔ} $$

$$ \tilde{\text{L}} \in \mathbb{R}^n \,\neg\, \overbrace{\mathbb{R}^q\text{ꜧ}} \xrightarrow[\asymp]{\text{ꜧ}} \mathbb{C}^p \ni \text{Lꜧ} $$

$$ \int_{d\text{ʟ}}^{\mathbb{R}^p} {}^{\text{ʟ}}\varphi = \int_{d\,\tilde{\text{L}}}^{\mathbb{R}^n \,\neg\, \overbrace{\mathbb{R}^q\text{ꜧ}}} {}^{\text{L}\,\text{ꜧ}}\varphi $$

$$ \text{LHS} = \int_{d\,\tilde{\text{L}}}^{\mathbb{R}^n \,\neg\, \overbrace{\mathbb{R}^q\text{ꜧ}}} {}^{\text{L}}_{\text{ꜧ}}\text{ʔ}\;\mathfrak{e}^{-\text{Lꜧ1}} = \int_{d\,\tilde{\text{L}}}^{\mathbb{R}^n \,\neg\, \overbrace{\mathbb{R}^q\text{ꜧ}}} \delta\left(.\text{ꜧ}\right)\int_{\text{Lꜧ} = \text{Lꜧ}}^{\mathbb{R}^q} {}^{\text{L}}\text{ʔ}\;\mathfrak{e}^{-\text{Lꜧ1}} $$

$$ = \delta\left(.\text{ꜧ}\right)\int_{d\text{ʟ}}^{\mathbb{R}^p} \mathfrak{e}^{-\text{ʟ1}} \int_{\text{Lꜧ} = \text{ʟ}} {}^{\text{L}}\text{ʔ} = \delta\left(.\text{ꜧ}\right)\int_{d\text{ʟ}}^{\mathbb{R}^p} \mathfrak{e}^{-\text{ʟ1}}\,{}^{\text{ʟ}}\text{ʔ}^{\text{ꜧ}} = \text{RHS} $$