$$\mathbb{C}\underset{\omega}{\bigtriangledown}\hbar = \frac{\flat = \sum_i \flat^i \partial_i}{\flat^i \in {}^{\hbar}\underset{\omega}{\triangle}\mathbb{C}}$$

$$\flat : \flat' \in \mathbb{C}\underset{\omega}{\bigtriangledown}\hbar \bowtie \mathbb{C}\underset{\omega}{\bigtriangledown}\hbar \xrightarrow{\ast} \mathbb{C}\underset{\omega}{\bigtriangledown}\hbar \ni \flat \ast \flat'$$

$$\overbrace{\sum_i \flat^i \partial_i} \ast \overbrace{\sum_j \flat'^j \partial_j} = \overbrace{\sum_i \flat^i \partial_i}\overbrace{\sum_j \flat'^j \partial_j} - \overbrace{\sum_i \flat'^i \partial_i}\overbrace{\sum_j \flat^j \partial_j} = \sum_j \overbrace{\sum_i \underbrace{\flat^i \partial_i \flat'^j - \flat'^i \partial_i \flat^j}} \partial_j$$

$$\overbrace{\flat \ast \flat'}^j = \flat^i \partial_i \flat'^j - \flat'^i \partial_i \flat^j = \flat^i {}_i\partial \flat'^j - \flat'^i {}_i\partial \flat^j \in {}^{\hbar}\underset{\omega}{\triangle}\mathbb{C}$$

$$\hbar_0 \Cap \hbar \Rightarrow \bigvee \hbar_0 \times (-r|r) \xrightarrow{g} \hbar\, {}^z g_t = {}^z\overbrace{\exp(t\flat)}$$