$$\mathsf{c}\mathbb{R}^{\mathbb{I}} \triangleright_{\infty} \mathbb{C}^{\gamma}$$

$$\Big\downarrow \; \overline{()}\,/\,\overline{()}^{\tau}\,/\,\overline{()}^{\sigma} \qquad \text{ext / Toep / Weyl}$$

$$\underline{X^{\mathbb{C}}} \triangleright^{2}_{\omega} \mathbb{C}^{\gamma}$$

$$\mathsf{c}\mathbb{R}^{\mathbb{I}} \triangleright_{\infty} \mathbb{C} \sqsubset \mathsf{c}\mathbb{R}^{\mathbb{I}} \triangleright^{2}_{m} \mathbb{C}$$

$$\mathsf{c}\mathbb{R}\mu^{\mathbb{I}}_{x} = d_x \, {}^{x}\Omega_{-\delta/r}$$

$$\int\limits_{\mathsf{c}\mathbb{R}\mu^{\mathbb{I}}_{x}}^{\mathsf{c}\mathbb{R}^{\mathbb{I}}} {}^{x}\mathfrak{e}^{-1}_{\xi} \frac{{}^{x}\Omega_{\beta}}{\mathsf{c}\mathbb{R}\Gamma^{\mathbb{I}}_{\beta}} = {}^{\beta^{\sharp}}\Omega^{-1}_{\xi} = \int\limits_{dx}^{\mathsf{c}\mathbb{R}^{\mathbb{I}}} {}^{x}\mathfrak{e}^{-1}_{\xi} \frac{{}^{x}\Omega_{\beta - \delta/r}}{\mathsf{c}\mathbb{R}\Gamma^{\mathbb{I}}_{\beta}}$$

$$\overline{\daleth} = \int\limits_{\mu^{0}_{\zeta}}^{\mathsf{c}\mathbb{R}^{\mathbb{I}}} \overline{\zeta}\; {}^{\zeta}\daleth \quad : \quad \overline{\zeta} \in \underline{X^{\mathbb{C}}} \triangleright^{2}_{\omega} \mathbb{C}^{\gamma}$$

$$^{z}\overline{\daleth} = \int\limits_{\mu^{0}_{\zeta}}^{\mathsf{c}\mathbb{R}^{\mathbb{I}}} {}^{z}\overline{\zeta}\; {}^{\zeta}\daleth$$

$$\mathcal{T}_{\daleth} = \int\limits_{\mu^{0}_{\zeta}}^{\mathsf{c}\mathbb{R}^{\mathbb{I}}} K_{\zeta}\, {}^{\zeta}K^{1/2}_{\zeta}\, {}^{\zeta}\daleth$$

$$^{z}\overbrace{\mathcal{T} \underset{X_{\mathsf{c}}}{\ltimes} \daleth} = {}^{z}\mathcal{T} \underset{X_{\mathsf{c}}}{\ltimes} \daleth = \int\limits_{\mu^{0}_{\zeta}}^{X_{\mathsf{c}}} {}^{z}\mathcal{T}_{\zeta}\, {}^{\zeta}\daleth$$

$$^{z}\mathcal{T}_{\zeta} = {}^{z}K_{\zeta}\, {}^{\zeta}K^{1/2}_{\zeta}$$

$$ {}^{z}\mathcal{T}_{\urcorner} = \int_{\mu_{\zeta}^{0}}^{\mathbb{C}_{\mathbb{R}}^{\mathbb{I}}} {}^{z}K_{\zeta}{}^{\zeta}\overset{1/2}{K}_{\zeta}{}^{\zeta}\urcorner $$

$$ {}^{z}\overline{\zeta}^{\tau} = {}^{z}\mathcal{T}_{\zeta} = {}^{z}K_{\zeta}{}^{\zeta}K_{\zeta}^{1/2} \text{ Toeplitz} $$

$$ {}^{z}\overline{\zeta}^{\sigma} = {}^{z}\mathcal{W}_{\zeta} \text{ Weyl} $$

$$ r \ni \ell \mapsto 2\,\varrho_{\ell} = \frac{a}{2}\underbrace{2\ell + 1 - r} $$

$$ r_{\mathbb{C}} = r $$

$$ \nu_{\mathbb{C}} = 2\nu $$

$$ {}^{\xi}\overline{f}^{\mathbb{R}} = \frac{4^{-\nu r}\Gamma_{2\nu}}{\Gamma_{\nu}\Gamma_{\nu+2\varrho}} \int_{dx}^{\mathbb{C}_{\mathbb{R}}^{\mathbb{I}}} {}^{x}_{\delta}\Omega_{e}^{-d}\,\underbrace{\xi + x}/2\,{}_{\delta}\Omega_{e}^{-2\nu}\,{}^{x}_{\delta}\Omega_{e}^{\nu}\,{}^{x}f $$

$$ = \frac{\Gamma_{2\nu}}{\Gamma_{\nu}\Gamma_{\nu+2\varrho}} \int_{dx}^{\mathbb{C}_{\mathbb{R}}^{\mathbb{I}}} {}^{x}_{\delta}\Omega_{e}^{\nu - d}\;{}^{\xi + x}_{\delta}\Omega_{e}^{-2\nu}\;{}^{x}f $$

$$ {}^{e}\overline{{}_{\delta}\Omega_{\underline{e}}^{\underline{\varrho} + \underline{\alpha}}}^{\mathbb{R}} = \frac{\Gamma_{\nu + \underline{\varrho} + \underline{\alpha}}\Gamma_{\nu + \underline{\varrho} - \underline{\alpha}}}{\Gamma_{\nu}\Gamma_{\nu + 2\underline{\varrho}}} $$

$$ \Gamma_{\nu}\,\Gamma_{\nu + 2\underline{\varrho}}\;{}^{e}\overline{{}_{\delta}\Omega_{\underline{e}}^{\underline{\varrho} + \underline{\alpha}}}^{\mathbb{R}} = \int_{dx}^{\mathbb{C}_{\mathbb{R}}^{\mathbb{I}}} {}^{x}_{\delta}\Omega_{e}^{\nu - d + \underline{\varrho} + \underline{\alpha}}\,\frac{\Gamma_{2\nu}}{{}^{e + x}_{\delta}\Omega_{e}^{2\nu}} = \Gamma_{\nu + \underline{\varrho} + \underline{\alpha}}\,\Gamma_{\nu + \underline{\varrho} - \underline{\alpha}} $$

$$ \Leftarrow \underline{\delta} - d = 2\,\underline{\varrho} $$

$$ \overline{1}^{\mathbb{R}} = I $$

$$ {}^{e}\overline{1}^{\mathbb{R}} = {}^{e}\overline{{}_{\delta}\Omega_{\underline{e}}^{\underline{\varrho} - \underline{\varrho}}}^{\mathbb{R}} = \frac{\Gamma_{\nu + \underline{\varrho} - \underline{\varrho}}\Gamma_{\nu + \underline{\varrho} + \underline{\varrho}}}{\Gamma_{\nu}\Gamma_{\nu + 2\underline{\varrho}}} = 1 $$