

$$\text{cpt } \mathfrak{h} \xrightarrow[\text{stet}]{\gamma} \mathbb{R} \Rightarrow {}^{\mathfrak{h}}\gamma \text{ cpt}$$

$$\vee \begin{cases} \bar{x}\gamma = \max {}^{\mathfrak{h}}\gamma \\ \underline{x}\gamma = \min {}^{\mathfrak{h}}\gamma \end{cases}$$

$$y_n \in {}^{\mathfrak{h}}\gamma \Rightarrow \bigvee_{x_n \in \mathfrak{h}} y_n = x_n\gamma \Rightarrow \bigvee x_{j_n} \rightsquigarrow x \in \mathfrak{h} \Rightarrow y_{j_n} = x_{j_n}\gamma \rightsquigarrow x\gamma \in {}^{\mathfrak{h}}\gamma \Rightarrow {}^{\mathfrak{h}}\gamma \text{ cpt}$$

$$\begin{aligned} \Rightarrow_{\text{bes}} \bigvee \begin{cases} \bar{y} = \sup {}^{\mathfrak{h}}\gamma \\ \underline{y} = \inf {}^{\mathfrak{h}}\gamma \end{cases} &\Rightarrow \bigvee \begin{cases} {}^{\mathfrak{h}}\gamma \ni \bar{y}_n \rightsquigarrow \bar{y} \\ {}^{\mathfrak{h}}\gamma \ni \underline{y}_n \rightsquigarrow \underline{y} \end{cases} &\Rightarrow_{\text{abg}} \begin{cases} \bar{y} = \bar{x}\gamma \\ \underline{y} = \underline{x}\gamma \end{cases} \end{aligned}$$

$$\text{comp int } H \xrightarrow[\text{stet}]{\gamma} \mathbb{R} \xrightarrow[\text{EWS}]{\Rightarrow} {}^H\gamma \text{ comp int}$$

$$\begin{cases} \bigvee_{K \in H}^{\max} K\gamma = {}^H\dot{\gamma} = \max_{x \in H} x\gamma \\ \bigvee_{K \in H}^{\min} K\gamma = {}^H\ddot{\gamma} = \min_{x \in H} x\gamma \end{cases}$$

$${}^H\gamma \text{ oben bes : } {}^H\dot{\gamma} < +\infty$$

$$\nexists {}^H\gamma \text{ oben unbes} \Rightarrow \bigwedge_n \bigvee_{n^b}^H n^b\gamma \geq n \xrightarrow[\text{Wei}]{\text{Bol}} \bigvee_{\aleph \geq n}^{\text{Teilfolge}} \aleph b \rightsquigarrow b \in H \xrightarrow[\text{SC}]{\Rightarrow} n \leq \aleph \leq \aleph^b\gamma \rightsquigarrow b\gamma \nexists$$

$${}^H\ddot{\gamma} \in {}^H\gamma$$

$$\bigwedge_{n \geq 1} {}^H\dot{\gamma} - \frac{1}{n} \text{ keine ob Schr} \Rightarrow \bigvee_{n^a}^H n^a\gamma > {}^H\dot{\gamma} - \frac{1}{n}$$

$$\xrightarrow[\text{Wei}]{\text{Bol}} \bigvee_{\aleph \geq n}^{\text{Teilfolge}} \aleph a \rightsquigarrow a \in H \Rightarrow {}^H\dot{\gamma} < \aleph^a\gamma + \frac{1}{\aleph} \xrightarrow[\text{SC}]{\rightsquigarrow} a\gamma + 0 = a\gamma \Rightarrow {}^H\dot{\gamma} \leq a\gamma \Rightarrow {}^H\dot{\gamma} = a\gamma$$