

$$\overset{x}{\widehat{q \ltimes \gamma}} = \overset{x^2}{\gamma}$$

$$\overset{x}{\widehat{\partial_u q \ltimes \gamma}} = u \overset{x}{\widehat{q \ltimes \gamma}} = u \overset{x}{\widehat{q}} \overset{x^2}{\underline{\gamma}} = \widehat{u * x} \overset{x^2}{\underline{\gamma}} = \overset{x^2}{\widehat{\partial_{u*x} \gamma}}$$

$$\partial_u \partial_v \underline{q \ltimes \gamma} = \partial_u \widehat{v * x \widehat{q \ltimes \gamma}} = \widehat{u * v} \widehat{q \ltimes \underline{\gamma}} + \widehat{u * x} \widehat{v * x} \widehat{q \ltimes \underline{\gamma}}$$

$$x^2 \mathbin{\overline{\times}} a = x \mathbin{\overline{\times}} (x * a) = x \mathbin{\overline{\times}} u_i \, u_i \mathbin{\overline{\times}} (x * a) = x \mathbin{\overline{\times}} u_i \, \bigl(u_i * a \bigr) \mathbin{\overline{\times}} x$$

$$\partial_{u_i}\partial_{u_i*a}$$

$$\partial_{u_i}\partial_{u_i*a} \underline{q \ltimes \gamma} = \widehat{u_i * \bigl(u_i * a\bigr)} \widehat{q \ltimes \underline{\gamma}} + \widehat{u_i * x} \widehat{\bigl(u_i * a\bigr) * x} \widehat{q \ltimes \underline{\gamma}}$$

$$\frac{\overset{-1}{e+x}}{\Delta\left(e+x\right)}\mathbin{\overline{\times}} u=\frac{\partial_u\Delta\left(e+x\right)}{\Delta\left(e+x\right)}$$

$$\sum_{j_1} \frac{\widehat{u_i * \bigl(u_i * a\bigr)} \mathbin{\overline{\times}} b^{j_1}}{y \mathbin{\overline{\times}} b^{j_1}} = \sum_{j_1} \frac{a \mathbin{\overline{\times}} b^{j_1}}{y \mathbin{\overline{\times}} b^{j_1}}$$

$$\sum_{j_1 \neq j_2} \frac{\widehat{u_i * x} \mathbin{\overline{\times}} b^{j_1}}{y \mathbin{\overline{\times}} b^{j_1}} \frac{\widehat{\bigl(u_i * a\bigr) * x} \mathbin{\overline{\times}} b^{j_2}}{y \mathbin{\overline{\times}} b^{j_2}} = \sum_{j_1 \neq j_2} \frac{\widehat{x * b^{j_1}} \mathbin{\overline{\times}} \widehat{a * x * b^{j_2}}}{\widehat{y \mathbin{\overline{\times}} b^{j_1}} \widehat{y \mathbin{\overline{\times}} b^{j_2}}}$$