

$$\mathrm{hol}$$

$$^{(a\tau+b)\,(\overline{c\tau+d})}\gamma = {}^\tau \gamma \, (c\tau+d)^k$$

$${}^{\tau} \gamma = {}^{\tau}_{\sharp} \sigma_4^{N(\varrho)} \, {}^{\tau}_{\sharp} \sigma_6^{N(i)} \, {}^{\tau} \Delta^{N(\infty i)} \prod_{^o \gamma = 0} \underbrace{{}^{\tau} J - {}^o J}_k$$

$$\gamma \mathop{\boxtimes}\limits_k \gamma = \int\limits_{dudv}^{R_\Gamma} v^{k-2} \, {}^{u+iv} \bar{\gamma} \, {}^{u+iv} \gamma$$

$$\begin{gathered} \Delta \gamma = \underbrace{t^2 + \frac{1}{4}} \gamma = \underbrace{\frac{1}{2} + it} \frac{1}{2} - \underbrace{it} \gamma \\ \text{Maass} \end{gathered}$$