$$
{}^{2|1}\mathbb{C}^{\mathsf{C}}_{2|1}\triangleright_{\omega}\mathbb{C} = \left[\begin{array}{cc|c} {}^{1|}\lrcorner_{1|} & {}^{2|}\lrcorner_{1|} & {}^{|1}\lrcorner_{1|} \\ {}^{1|}\lrcorner_{2|} & {}^{2|}\lrcorner_{2|} & {}^{|1}\lrcorner_{2|} \\ \hline {}^{1|}\lrcorner_{|1} & {}^{2|}\lrcorner_{|1} & {}^{|1}\lrcorner_{|1} \end{array} = \begin{array}{cc|c} \ulcorner & \urcorner & \lrcorner \\ \llcorner & \lrcorner & \llcorner \\ \hline \llcorner & \lrcorner & \times \end{array} = \begin{array}{cc|c} a & b & \alpha \\ c & d & \gamma \\ \hline \varepsilon & \delta & e \end{array} \atop \begin{array}{c|c} \text{ev} & \text{odd} \\ \hline \text{odd} & \text{ev} \end{array} \right]
$$

$$
{}^{2|1}\mathbb{C}^{\mathsf{C}}_{2|1}\triangleright_{\omega}\mathbb{C} \xrightarrow{\mu} \underbrace{{}^{2|1}\mathbb{C}^{\mathsf{C}}_{2|1}\triangleright_{\omega}\mathbb{C}} \bowtie \underbrace{{}^{2|1}\mathbb{C}^{\mathsf{C}}_{2|1}\triangleright_{\omega}\mathbb{C}}
$$

$$
\mu\ {}^{|i|}\lrcorner_{|k|} = \sum_{j} {}^{|i|}\lrcorner_{|j|}\ {}^{|j|}\lrcorner_{|k|}
$$

$$
{}^{p|q}_{\mathsf{C}}\mathbb{C}_{p|q}\triangleright_{\omega}\mathbb{C} = {}^{SL\,(p|q)}\triangleright_{\omega}\mathbb{C} = \mathbb{C}\left[\begin{array}{c} \begin{array}{c|c} \dot{}a_{.} & \dot{}\beta_{.} \\ \hline \dot{}\gamma_{.} & \dot{}d_{.} \end{array} \\ \begin{array}{c|c} \text{ev} & \text{odd} \\ \hline \text{odd} & \text{ev} \end{array} \\ \det \underbrace{a\det d - \beta\Delta\gamma} = \det^{p+1} d \end{array}\right]
$$

$$
{}^{1|1}_{\mathsf{C}}\mathbb{C}_{1|1}\triangleright_{\omega}\mathbb{C} = {}^{SL\,(1|1)}\triangleright_{\omega}\mathbb{C} = \mathbb{C}\left[\begin{array}{c} \begin{array}{c|c} a & \beta \\ \hline \gamma & d \end{array} \\ \begin{array}{c|c} \text{ev} & \text{odd} \\ \hline \text{odd} & \text{ev} \end{array} \\ a\det d - \beta\gamma = \det^{2} d \end{array}\right]
$$

$$
\operatorname{Ber} \begin{array}{c|c} \dot{}a_{.} & \dot{}\beta_{.} \\ \hline \dot{}\gamma_{.} & \dot{}d_{.} \end{array} = \det \underbrace{\dot{}a_{.} - \dot{}\beta_{.}\,\dot{}\overset{-1}{d}_{.}\,\dot{}\gamma_{.}}\ \overset{-1}{\det}\ \dot{}d_{.} = 1 \Leftrightarrow
$$

$$
\det \underbrace{\dot{}a_{.} - \dot{}\beta_{.}\,\dot{}\overset{-1}{d}_{.}\,\dot{}\gamma_{.}} = \det\ \dot{}d_{.} \Leftrightarrow
$$

$$
\det \underbrace{\dot{}a_{.}\det\dot{}d_{.} - \dot{}\beta_{.}\,\Delta\,\dot{}\gamma_{.}} = \det \overbrace{\det\dot{}d_{.}\underbrace{\dot{}a_{.} - \dot{}\beta_{.}\,\dot{}\overset{-1}{d}_{.}\,\dot{}\gamma_{.}}} = \overset{p}{\det}\ \dot{}d_{.}\ \det \underbrace{\dot{}a_{.} - \dot{}\beta_{.}\,\dot{}\overset{-1}{d}_{.}\,\dot{}\gamma_{.}} = \det^{p+1}\ \dot{}d_{.}
$$