$$\mathbb{R}◺ \ni Ⱡ \supset ƛ \text{ rund}$$

$$ƛ \in \mathbb{H}◺_{0}^{0} \text{ stnM cpt}$$

$$ǂ \underset{\text{o-ideal}}{\sqsubset} ƛ_{◺_0}\mathbb{R}$$

$$ƛ⊨_{ǂ} = ƛ ⊨_{ǂ} = \frac{λ \in ƛ}{λ | ǂ = 0} \underset{\text{face}}{\Subset} ƛ$$

$$ƛ⊨_{ǂ} \xrightarrow{\asymp} \mathbb{R}◹_{0}\overbrace{ƛ\underbrace{◺\mathbb{R}}_{0} ⊨ ǂ}$$

$$\begin{tikzcd}
ƛ⊨_{ǂ} \arrow[d, "\asymp"] \arrow[drr] & & \\
\mathbb{R}◹_{0}\overbrace{ƛ\underbrace{◺\mathbb{R}}_{0} ⊨ ǂ} \arrow[rr] & & ƛ
\end{tikzcd}$$

$$ƛ_{◺_0}\mathbb{R} \ni ʏ \Rightarrow ƛ ⊨_{ʏ} = \frac{λ \in ƛ}{λʏ = \overset{ƛ}{\curlyvee}ʏ} \underset{\text{face}}{\Subset} ƛ$$

$$\begin{cases} \dot{λ} \in ƛ \\ 0 < \vartheta < 1 \end{cases} \quad \vartheta λ + \underbrace{1-\vartheta}\acute{λ} \in ƛ ⊨_{ʏ} \Rightarrow \overset{ƛ}{\curlyvee}ʏ = \overbrace{\vartheta λ + \underbrace{1-\vartheta}\acute{λ}}ʏ$$

$$= \vartheta \underbrace{λʏ}_{\leqslant \overset{ƛ}{\curlyvee}ʏ} + \underbrace{1-\vartheta}\underbrace{\acute{λ}ʏ}_{\leqslant \overset{ƛ}{\curlyvee}ʏ} \Rightarrow \dot{λ}ʏ = \overset{ƛ}{\curlyvee}ʏ \Rightarrow \dot{λ} \in ƛ ⊨_{ʏ} \Rightarrow λ|\acute{λ} \subset ƛ ⊨_{ʏ}$$